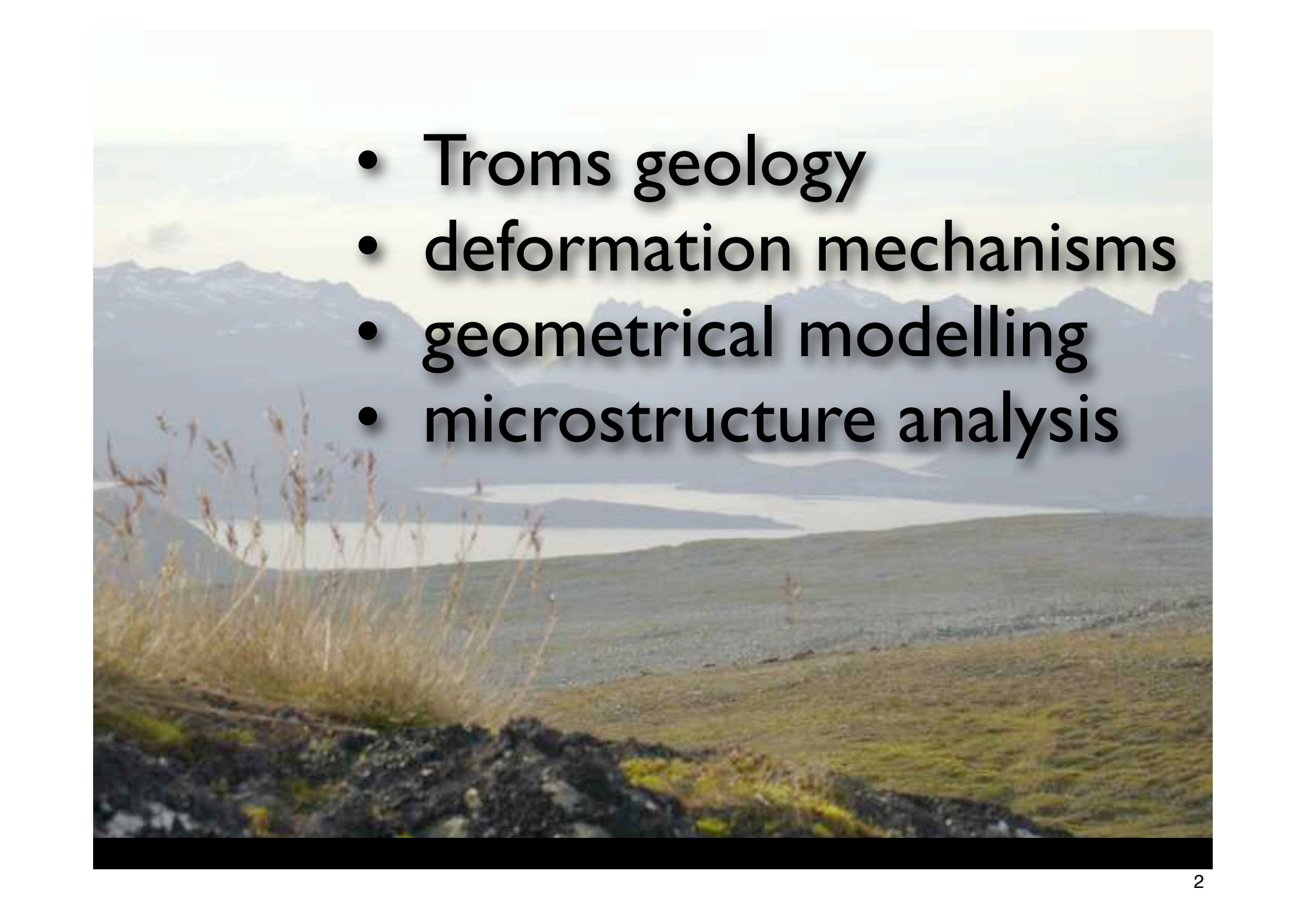
The background of the slide is a scenic landscape photograph. It shows a wide, shallow fjord or bay with several smaller inlets, surrounded by rugged, snow-capped mountains. The foreground consists of a rocky, grassy slope with some dry, yellowish-brown grasses. The sky is overcast and grey.

the geometry of diffusion creep:
what the microstructures of the
Troms nappe eclogites can tell us
about fast exhumation

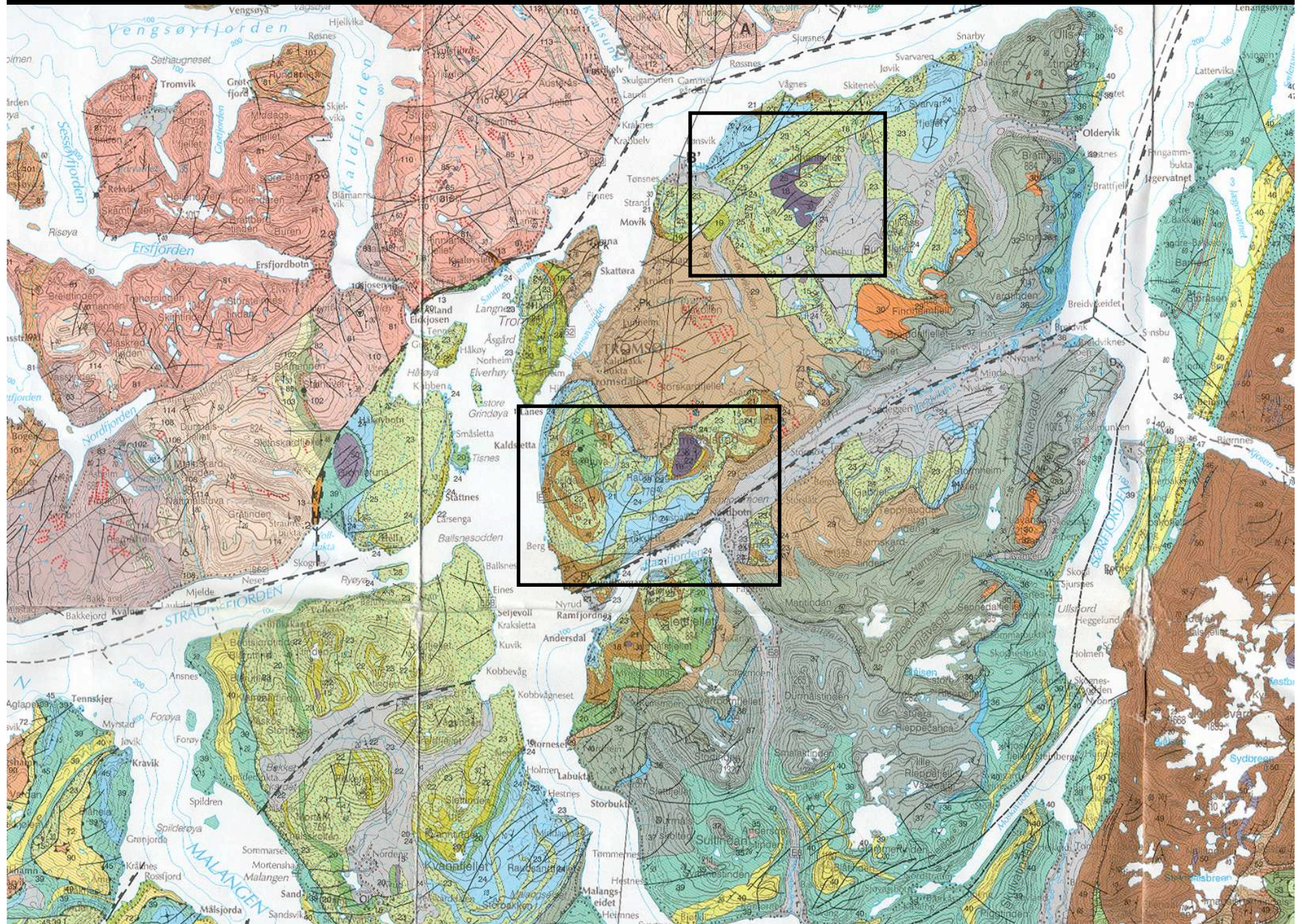
renee.heilbronner@unibas.ch
holger.stunitz@ig.uit.no

- 
- Troms geology
 - deformation mechanisms
 - geometrical modelling
 - microstructure analysis

Troms geology - deformation mechanisms - geometrical modelling - microstructure analysis



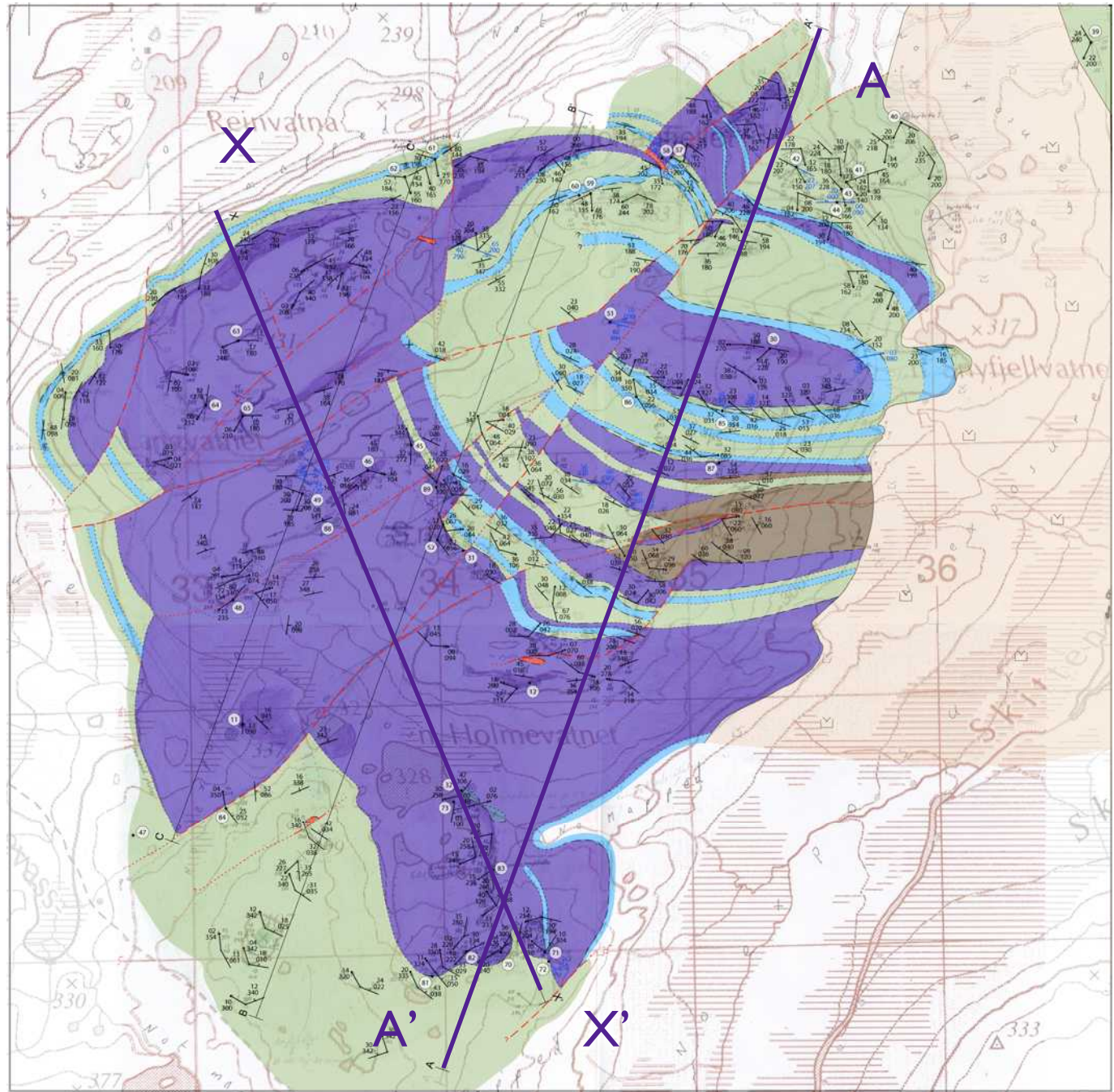
Troms geology - deformation mechanisms - geometrical modelling - microstructure analysis



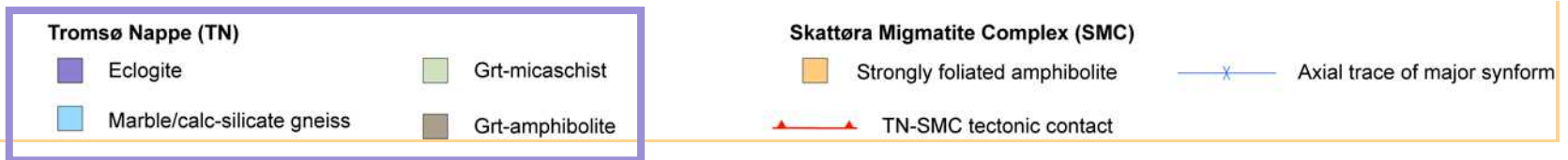
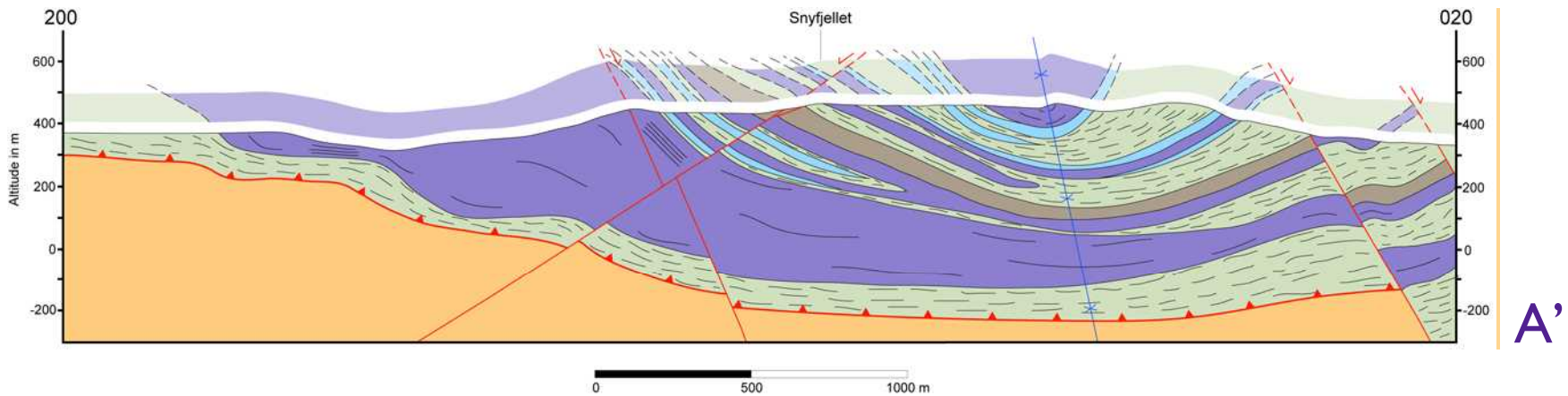
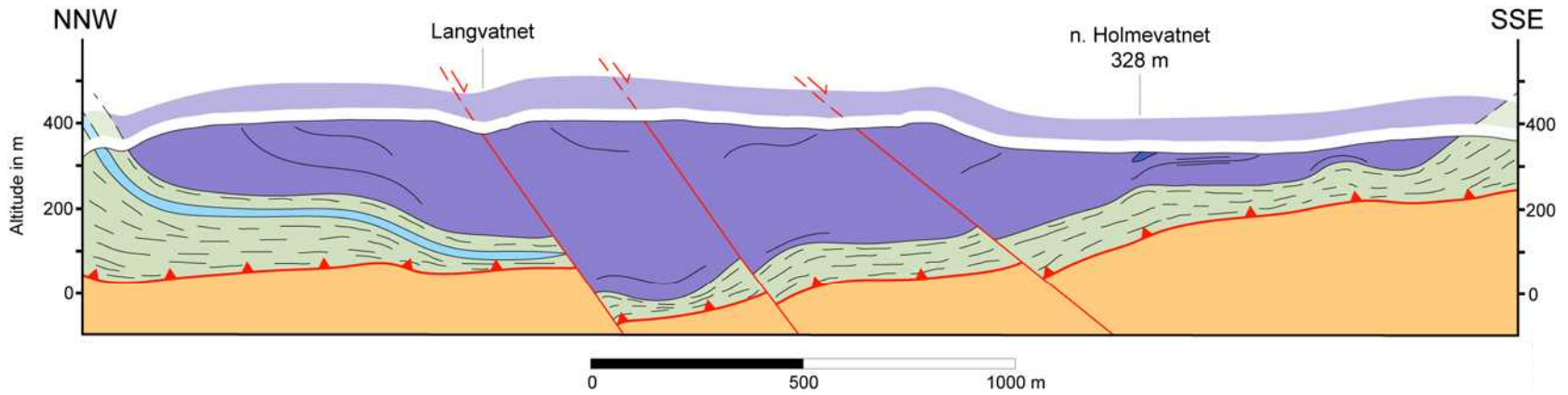


James Mackenzie

1 km



Troms geology - deformation mechanisms - geometrical modelling - microstructure analysis

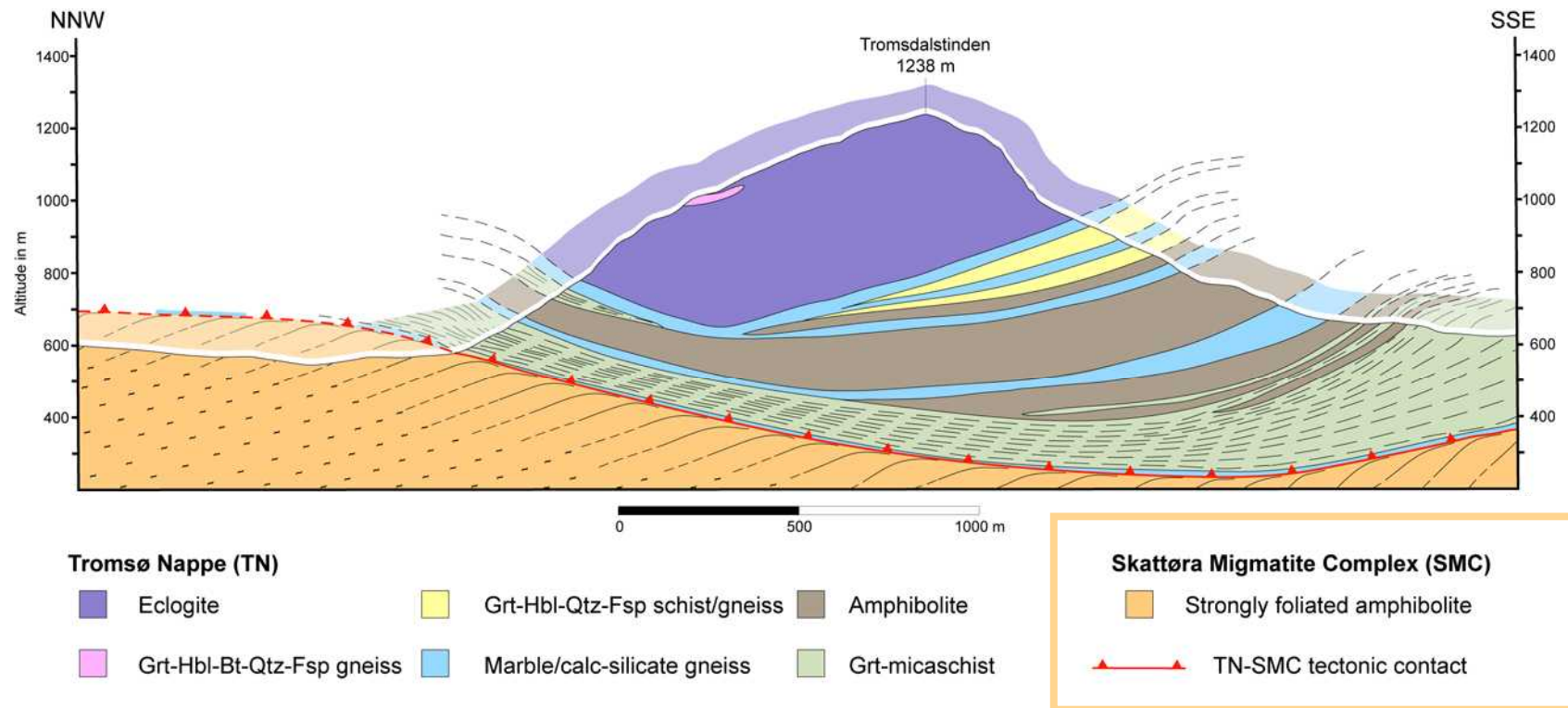


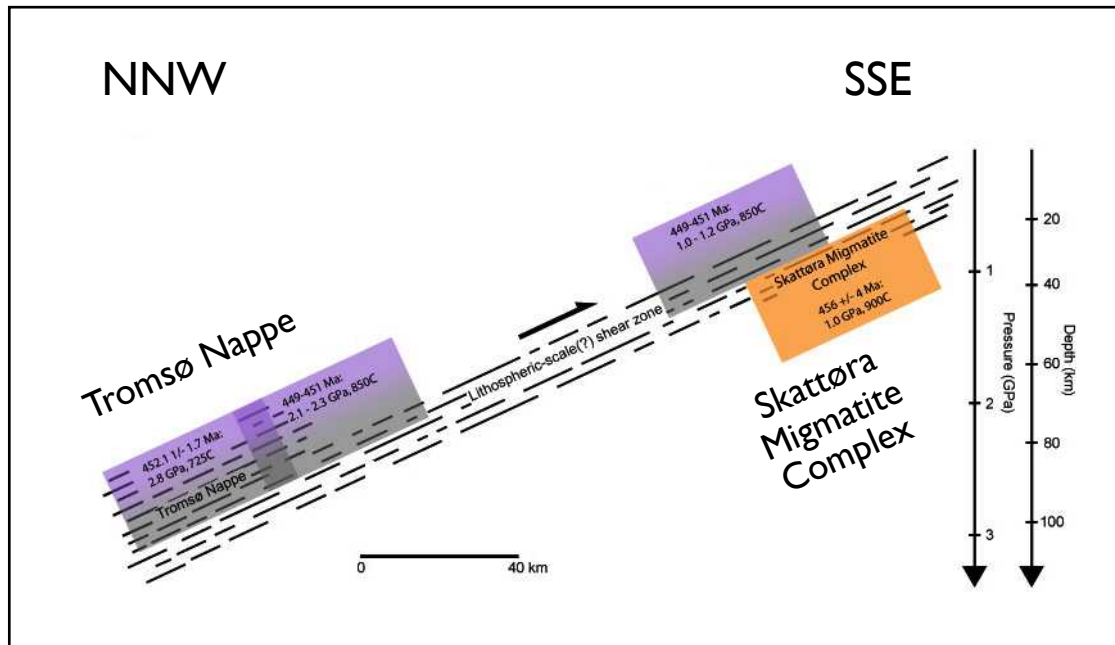


Troms Nappe

Skattøra Migmatite Complex

Troms geology - deformation mechanisms - geometrical modelling - microstructure analysis





James Mackenzie

+

Holger Stünitz

+

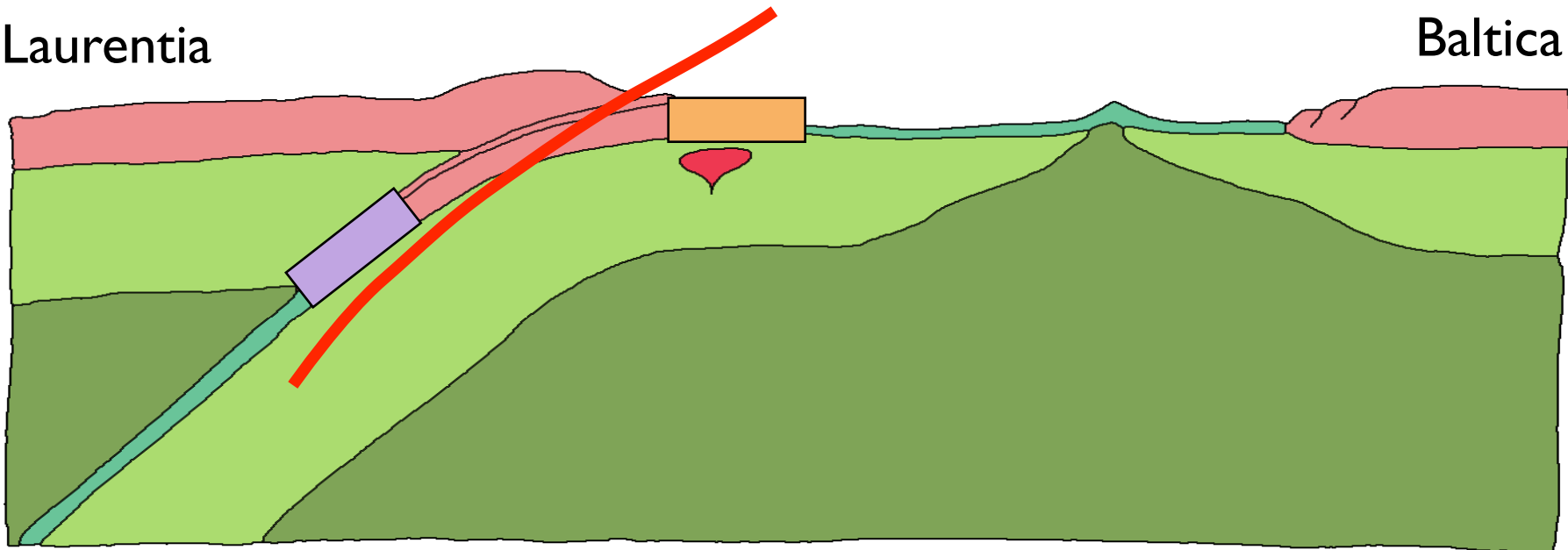
Kåre Kullerud

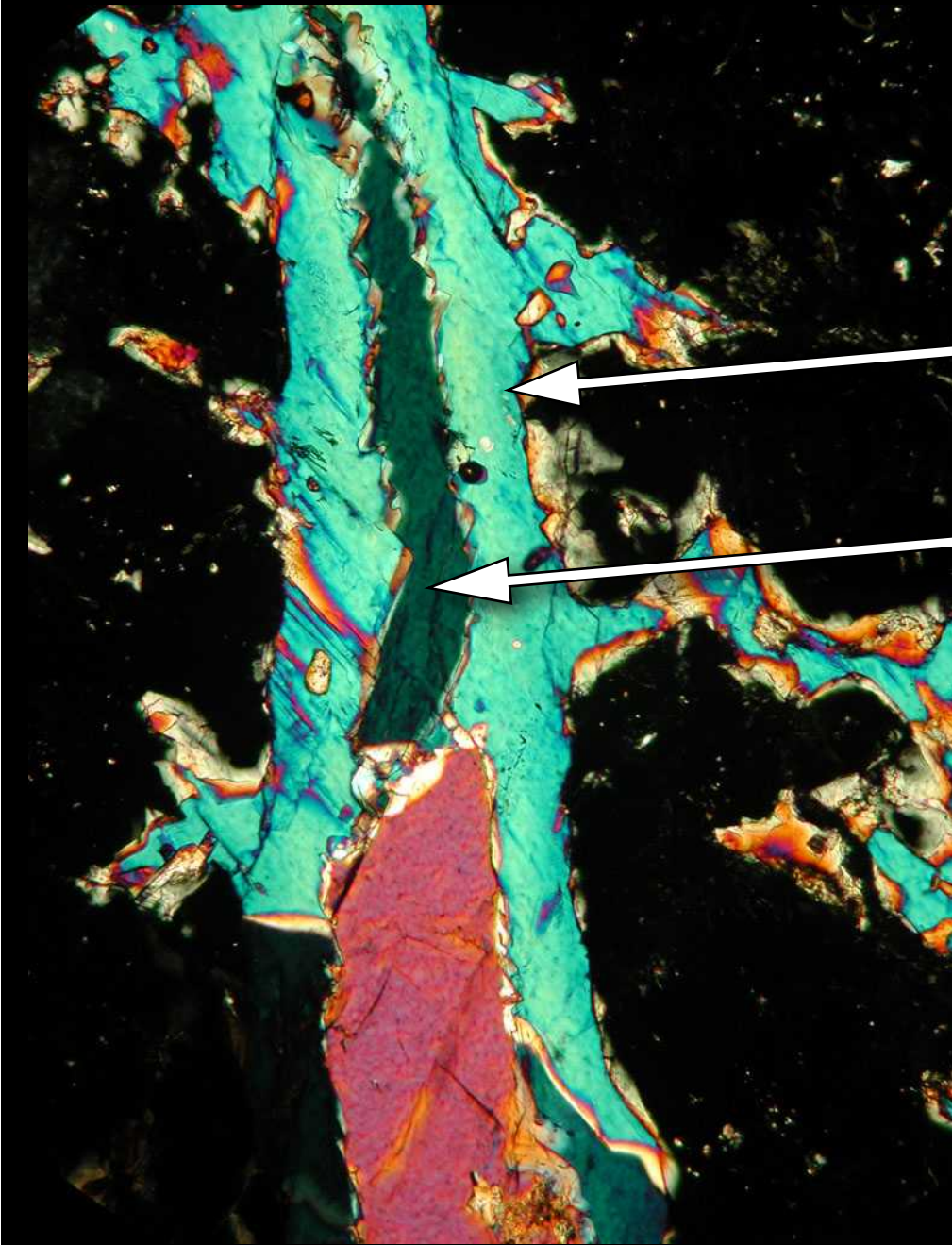
Steffen Bergh

Erling Ravna

Laurentia

Baltica





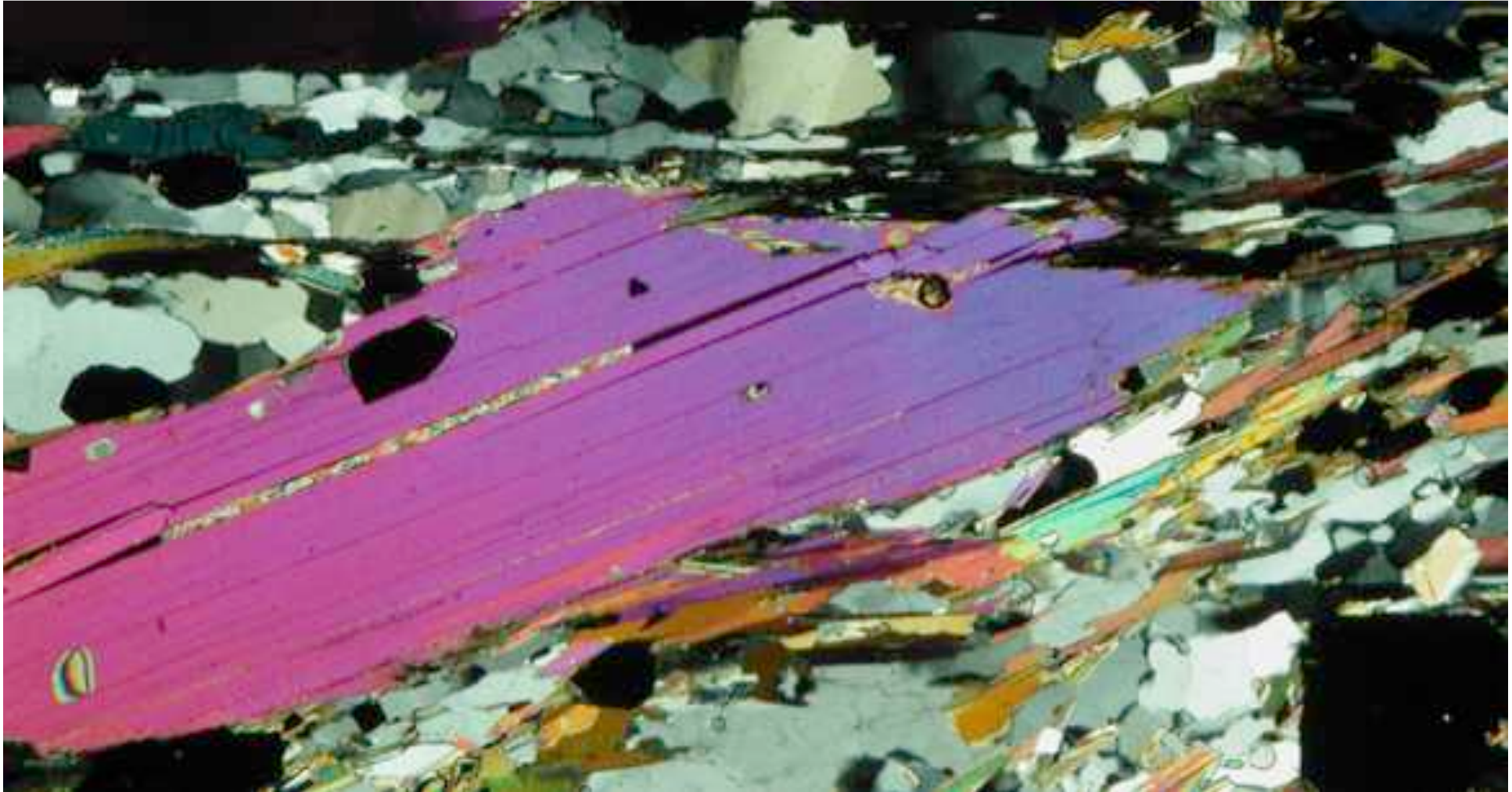
crack-seal veins in garnet

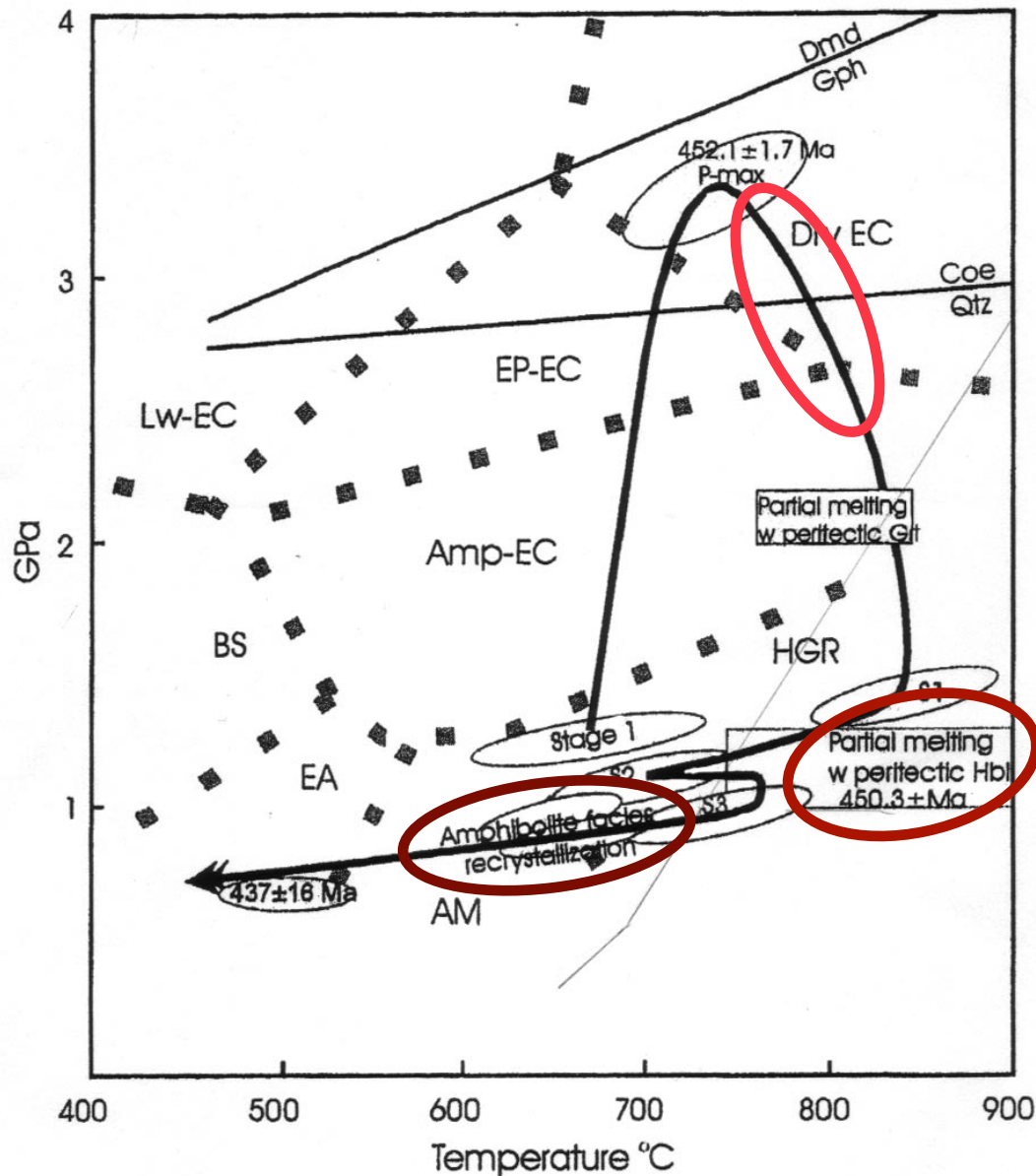
omphacite 1

omphacite 2
(lower jadeite
content)

shear sense top SE during retrograde overprint
in metasediments

1 mm





452 Ma

Decreasing pressure conditions:
omphacite 1
→ omphacite 2

450 Ma

437 Ma

Ravna & Roux (2006)
Corfu et al. (2003)

Time: 452 Ma - 449 Ma = 3 Ma
(Corfu et al., 2003)

$$3 \text{ Ma} = 3 \cdot 10^6 \cdot 365 \cdot 24 \cdot 60 \cdot 60 \approx \underline{10^{14} \text{ s}}$$

Pressure difference: 3 GPa - 2 GPa = 1 GPa
(Ravna & Roux, 2006)

Vertical displacement $\approx 30 \text{ km}$
Shear displacement $\approx 100 \text{ km}$
Thickness of shear zone $\approx 1 \text{ km}$
Shear strain $\gamma \approx \underline{100}$

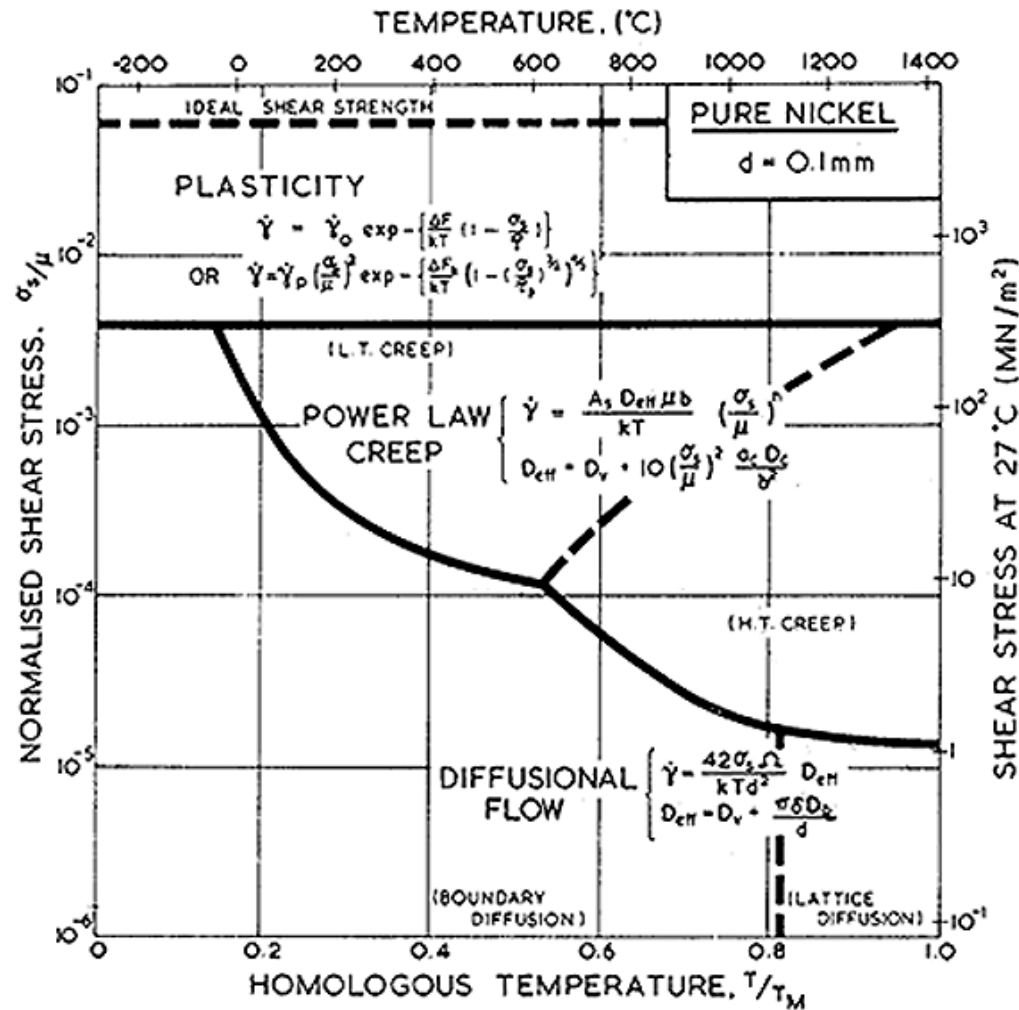
Shear strain rate $\dot{\gamma} \approx 100 / 10^{14} \text{ s} \approx \underline{10^{-12} \text{ s}^{-1}}$

Localized shear: $\dot{\gamma} \approx 10^{-11} \text{ s}^{-1} \text{ to } 10^{-10} \text{ s}^{-1}$

fast exhumation
high shear strain rates

which deformation mechanism?

deformation mechanism maps - flow laws



ideal strength

plasticity

power law creep

low temperature

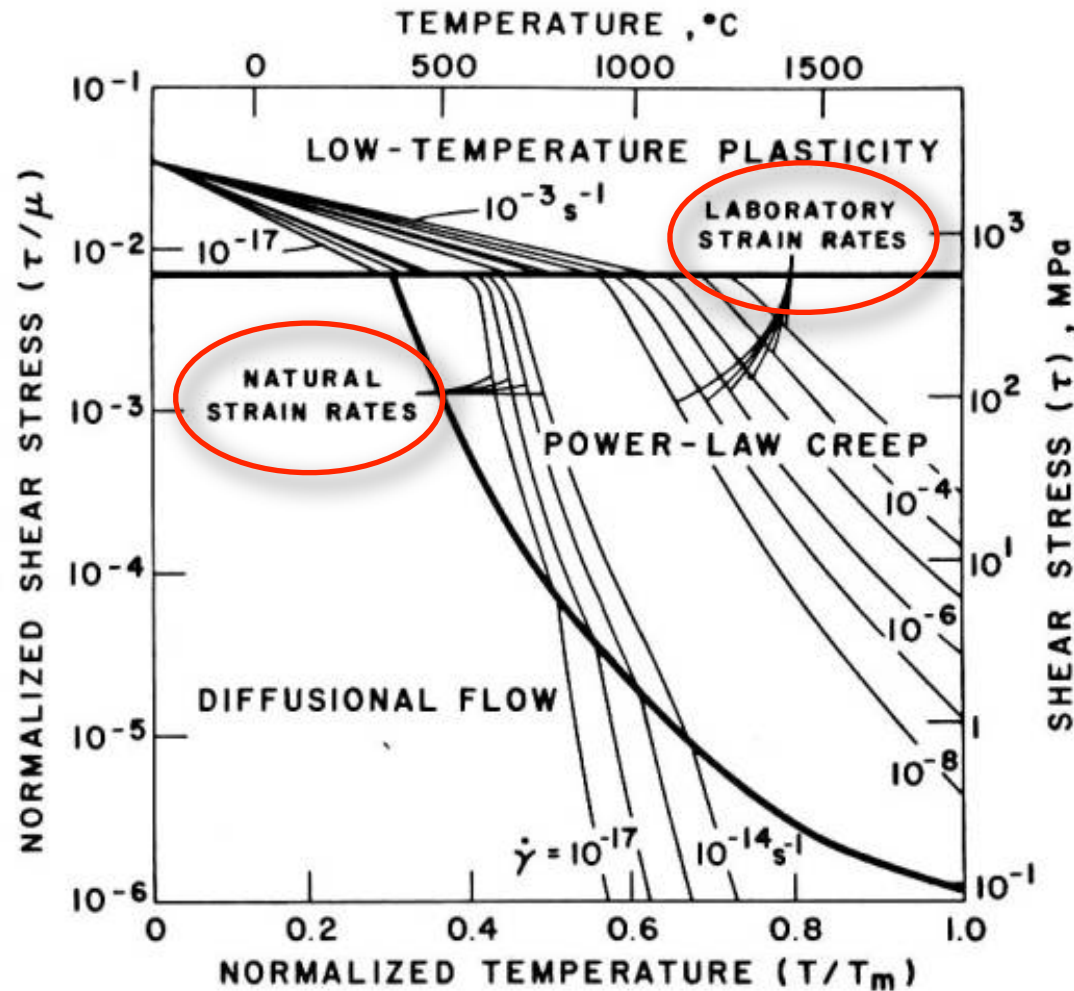
high temperature

diffusional flow

boundary diffusion

lattice diffusion

deformation mechanism maps - rheologies



ideal strength

plasticity

power law creep

low temperature

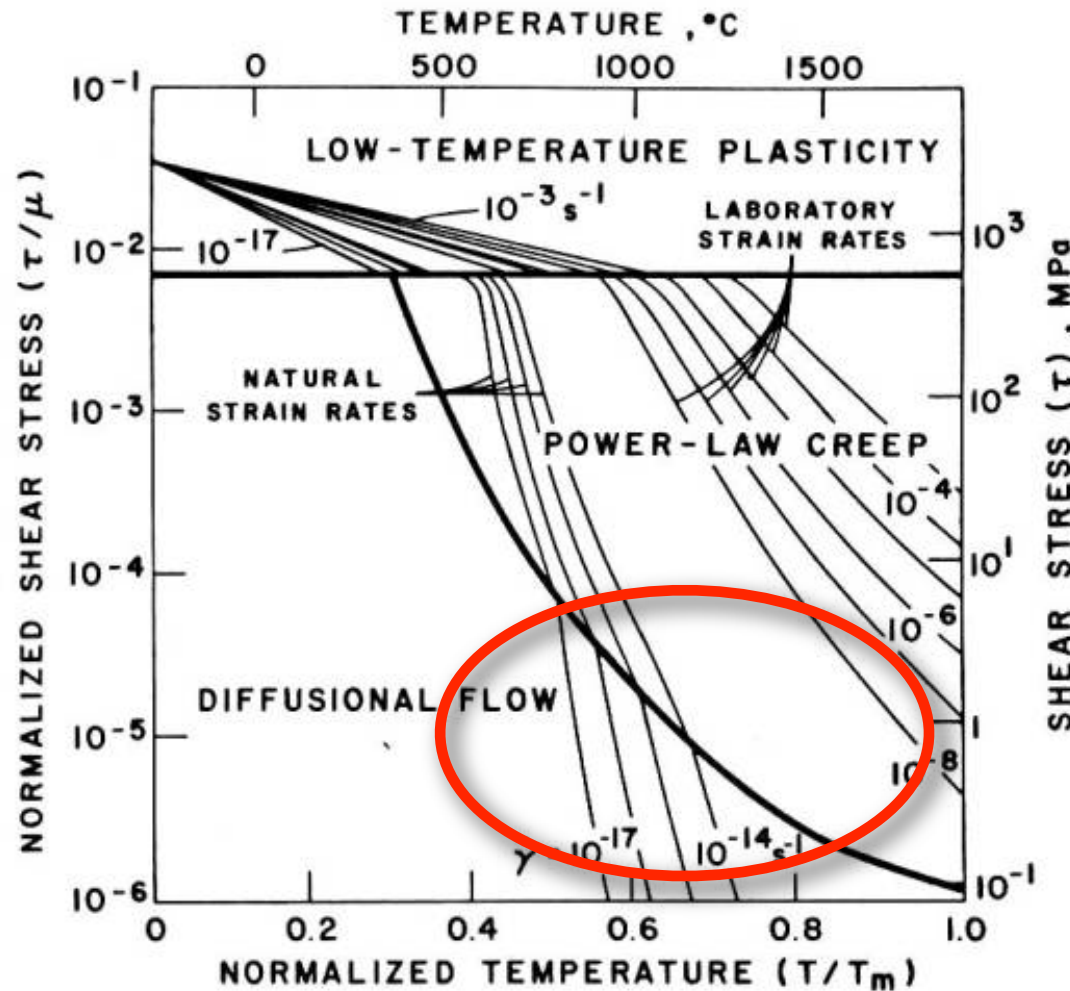
high temperature

diffusional flow

boundary diffusion

lattice diffusion

deformation mechanism maps - regimes



fracture

dislocation glide

dislocation creep

low n

high n

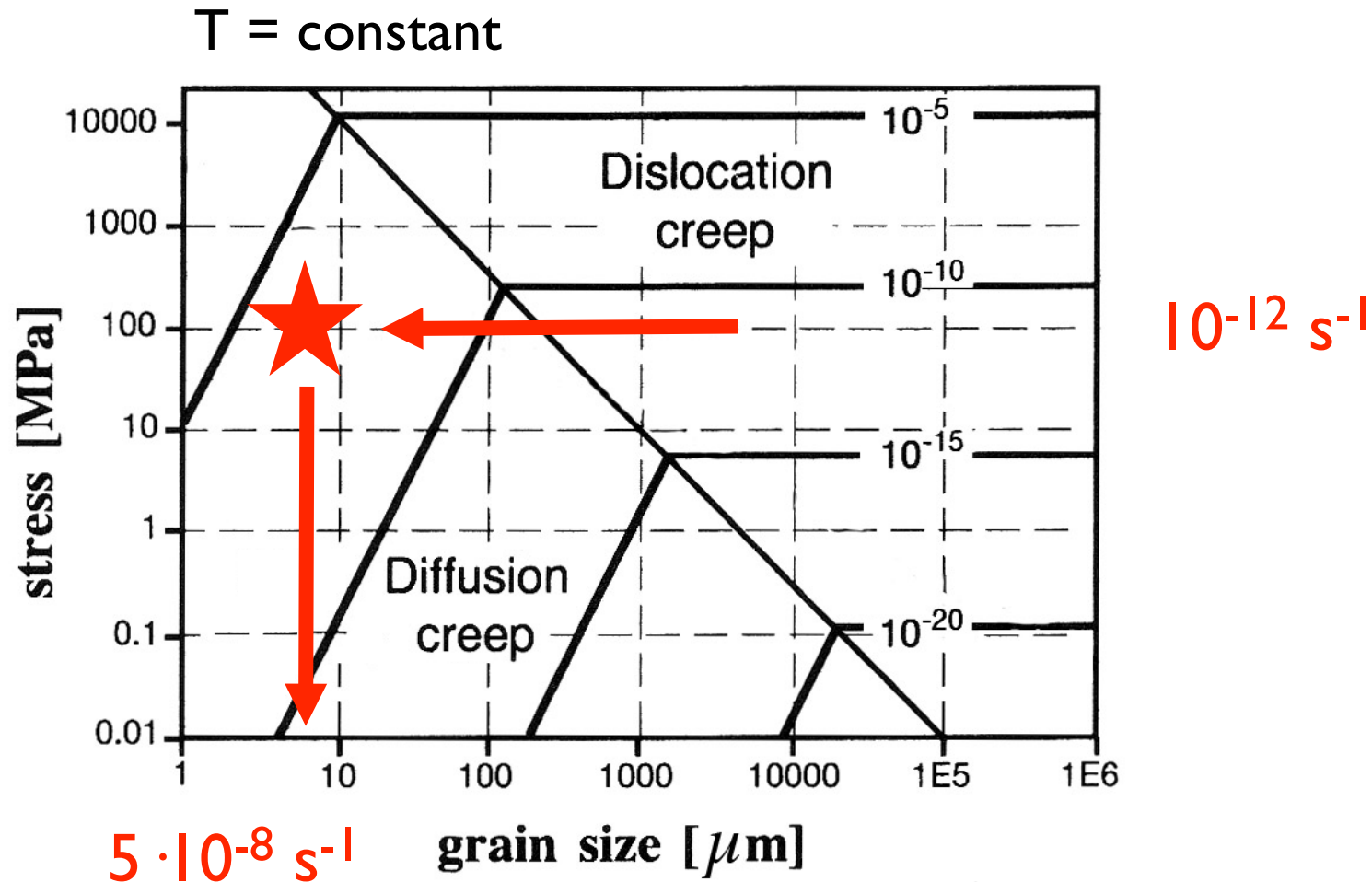
diffusion creep

boundary diffusion

lattice diffusion

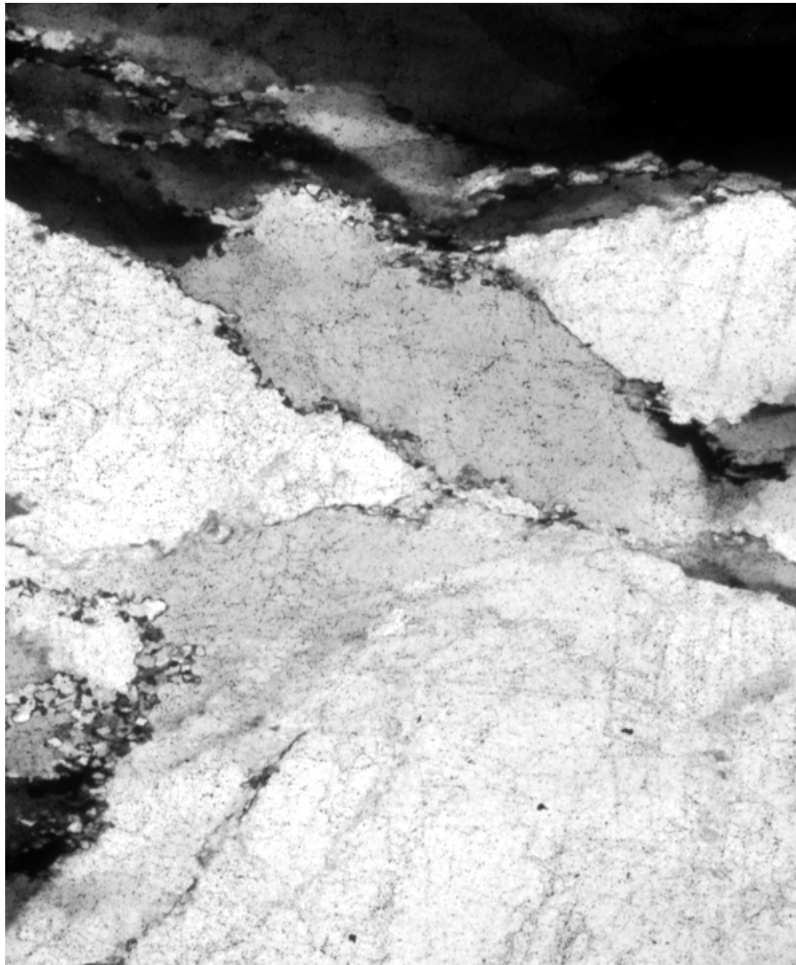
low stress - high T

deformation mechanism maps - grain size

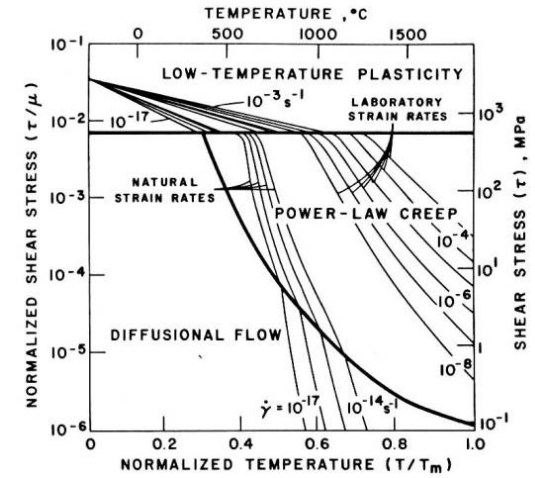


Olivine
after De Bresser et al. 1998

microstructures

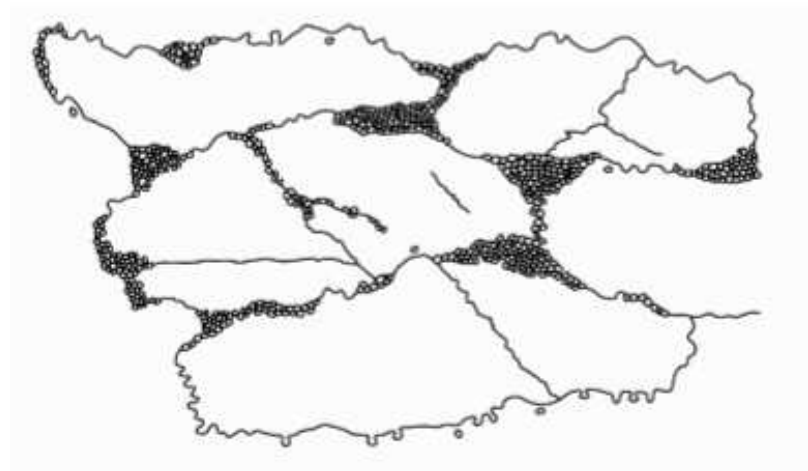


— 100 μm



bulging
recrystallization

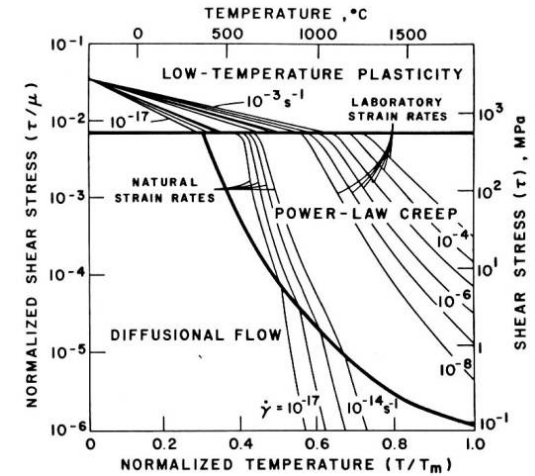
dislocation creep



microstructures

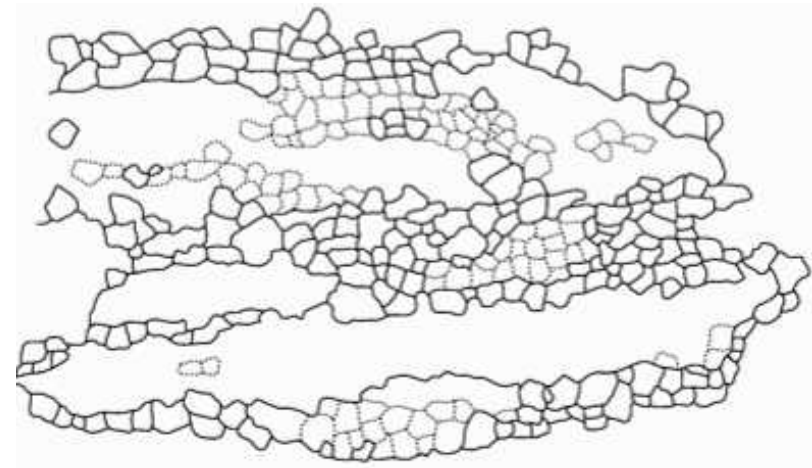


— 100 μm

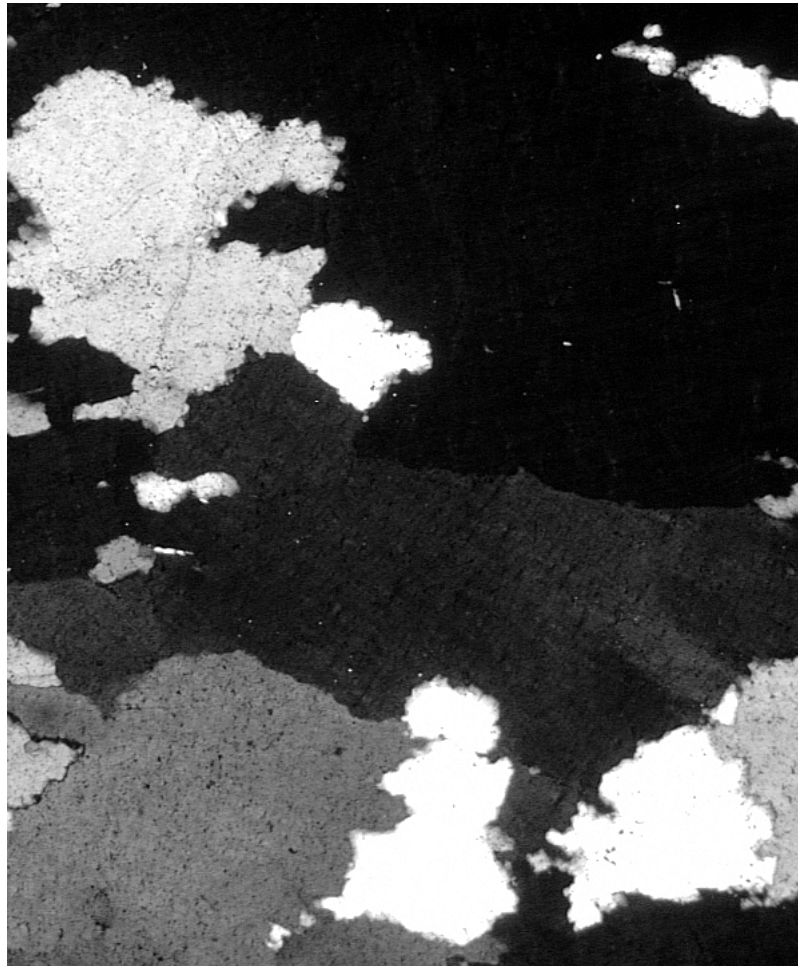


subgrain rotation
recrystallization

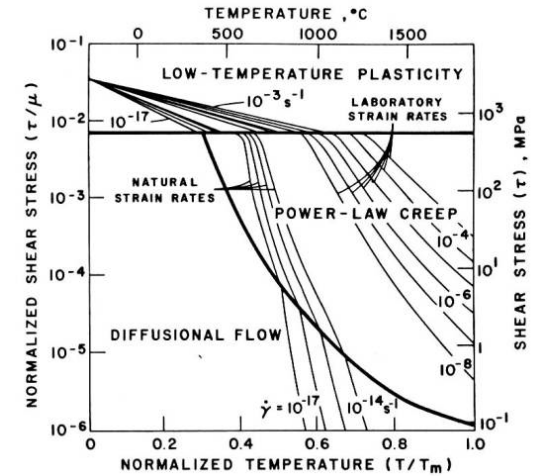
dislocation creep



microstructures

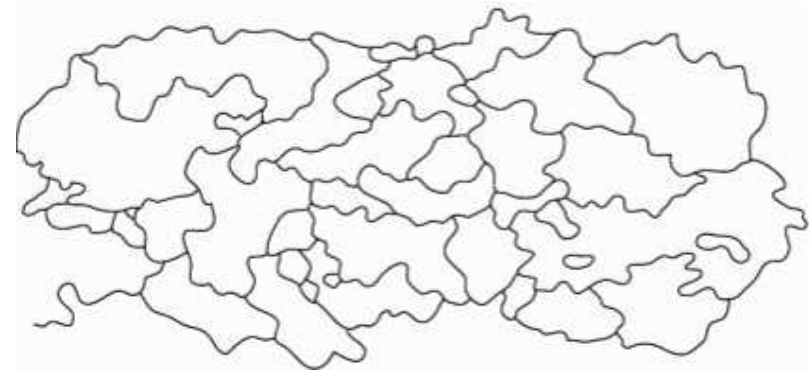


— 100 μm

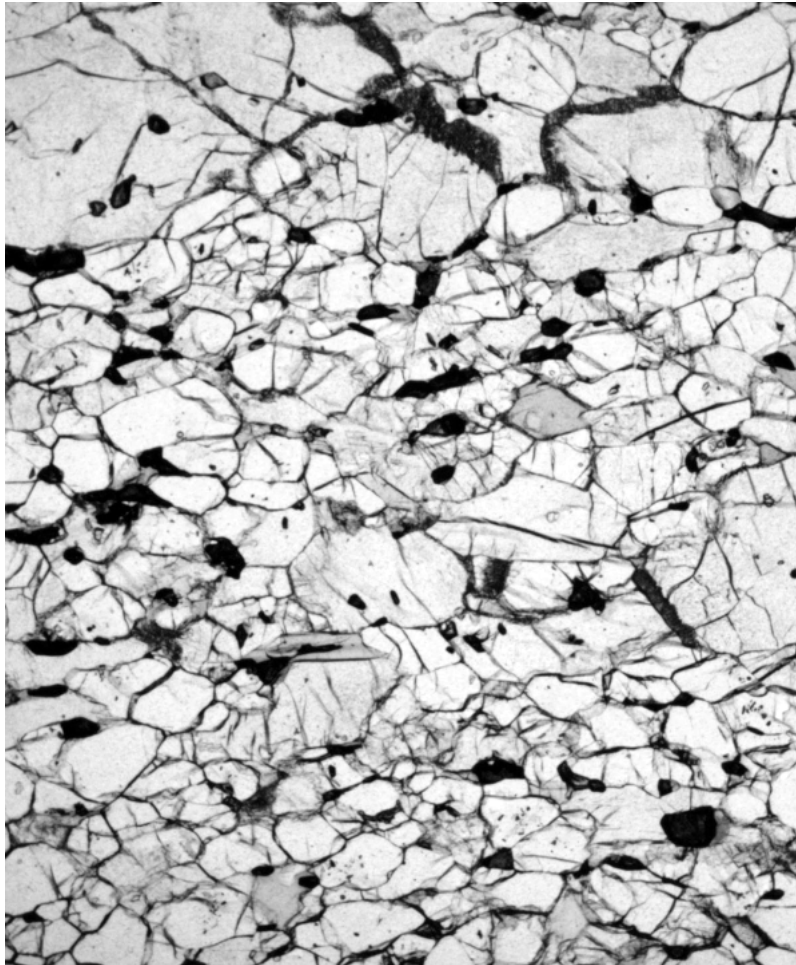


grain boundary migration
recrystallization

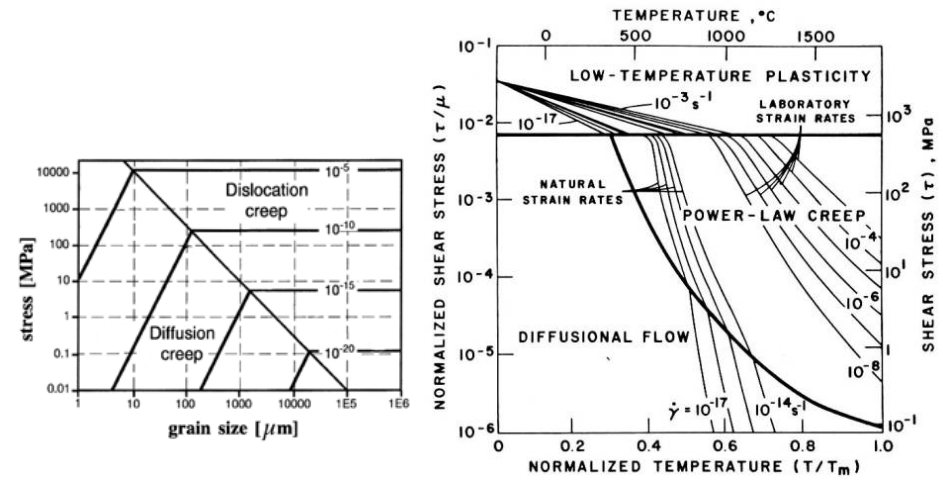
dislocation creep



microstructures

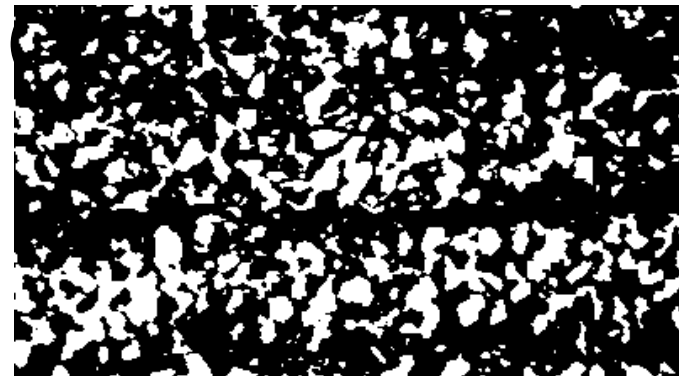


— 500 μm



grain boundary sliding
solution precipitation

diffusion creep



deformation mechanism
= diffusion creep

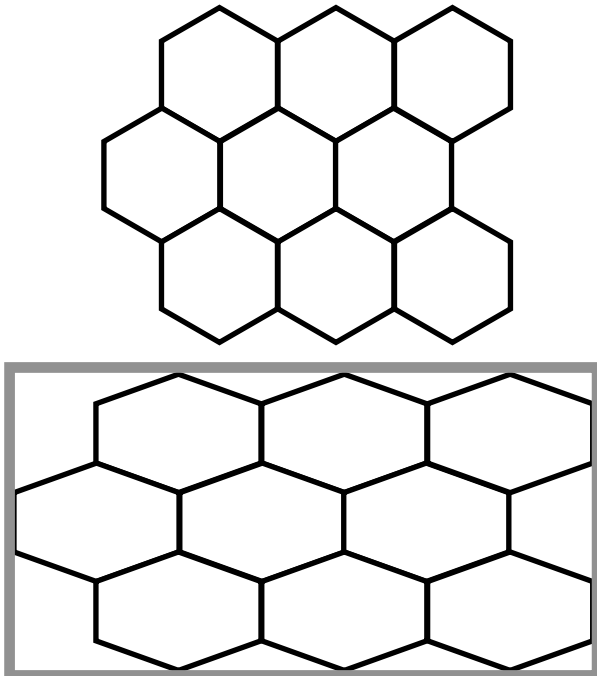
how to recognize it ?

micromechanical models

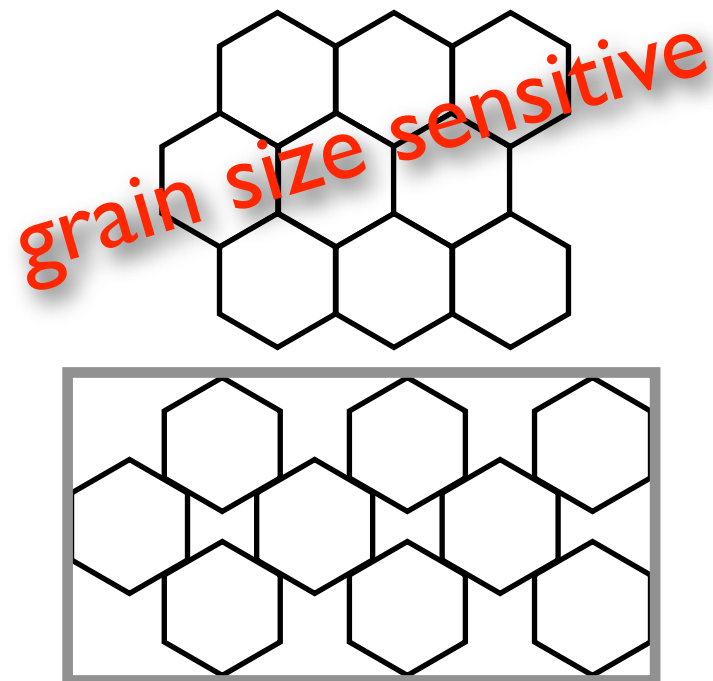
intracrystalline plasticity
dislocation glide
(facilitated by:)

granular flow
grain boundary sliding
pressure solution

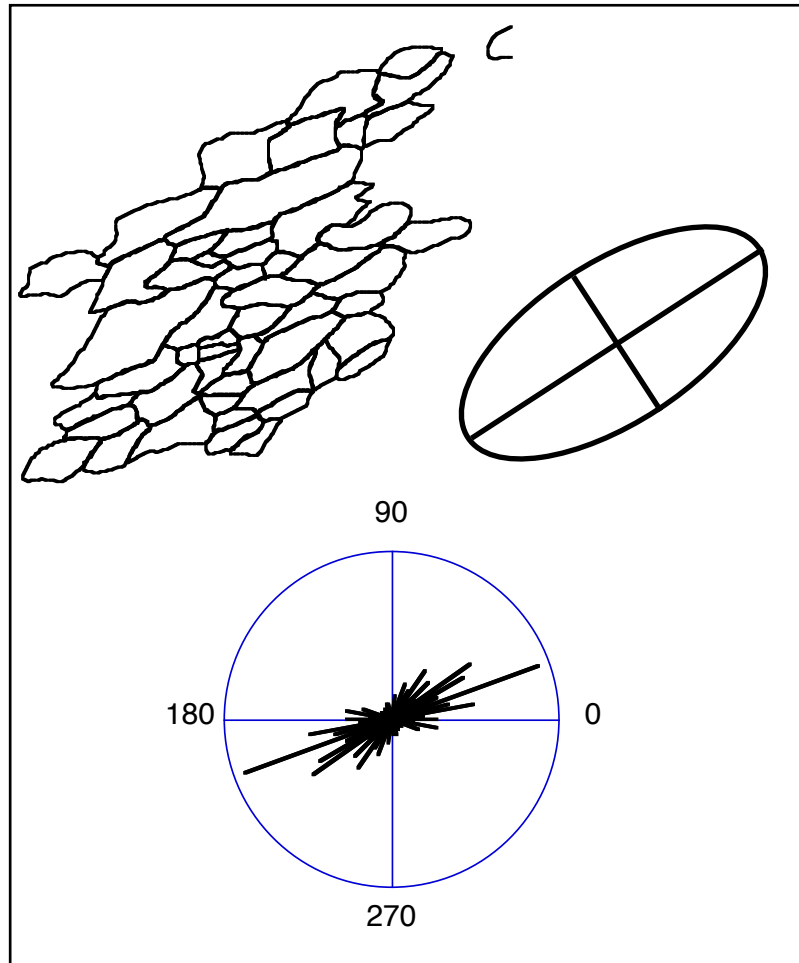
dislocation creep



diffusion creep



geometrical models

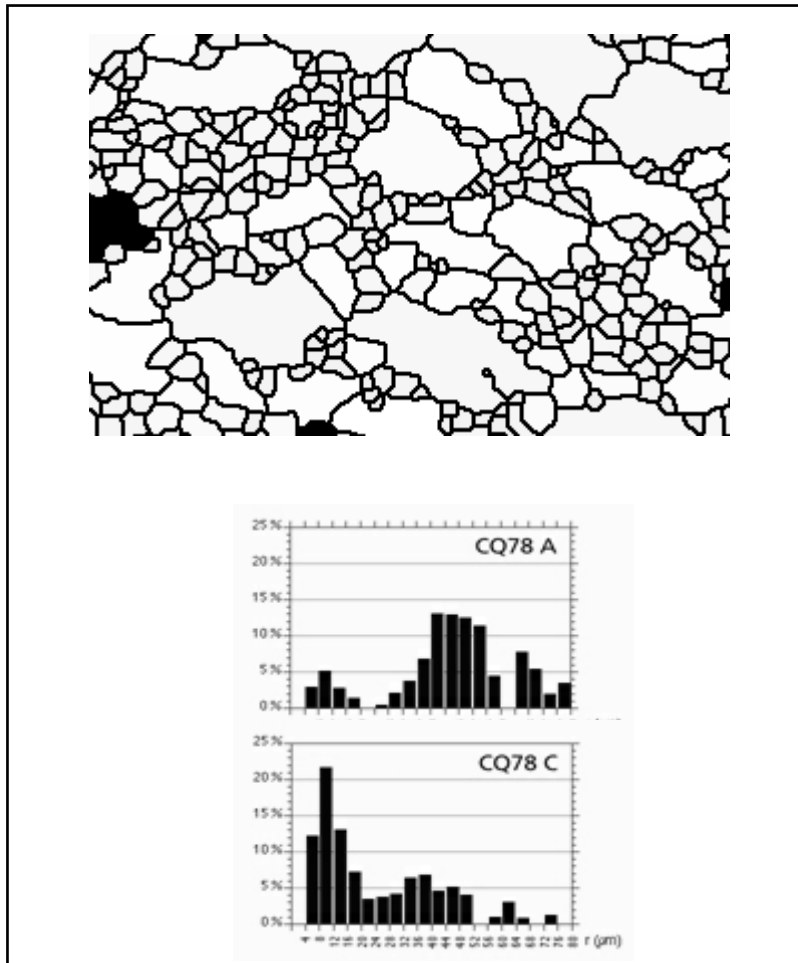


shape change = strain
strain markers,
homogeneous
deformation

intracrystalline plasticity
dislocation glide with 5
slips systems (van Mises)

surfor paror
(Panozzo, 1984, 1983)

geometrical models

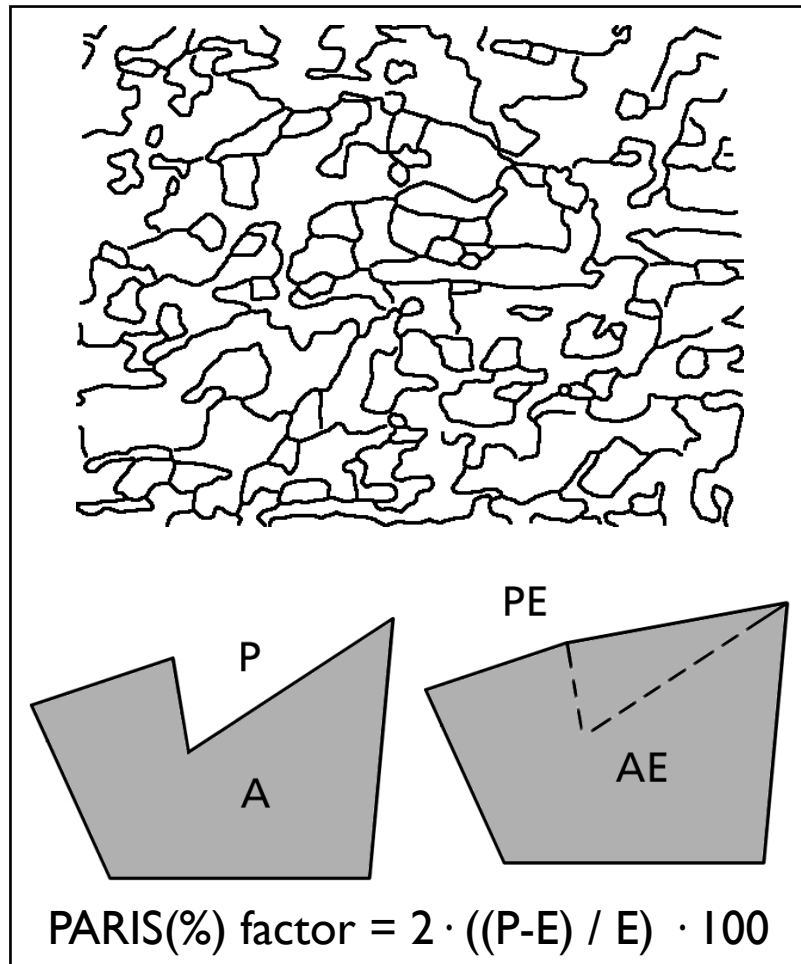


change of size
grain size distribution

recrystallization, grain
growth, nucleation

stripstar
Heilbronner & Bruhn (1998)

geometrical models

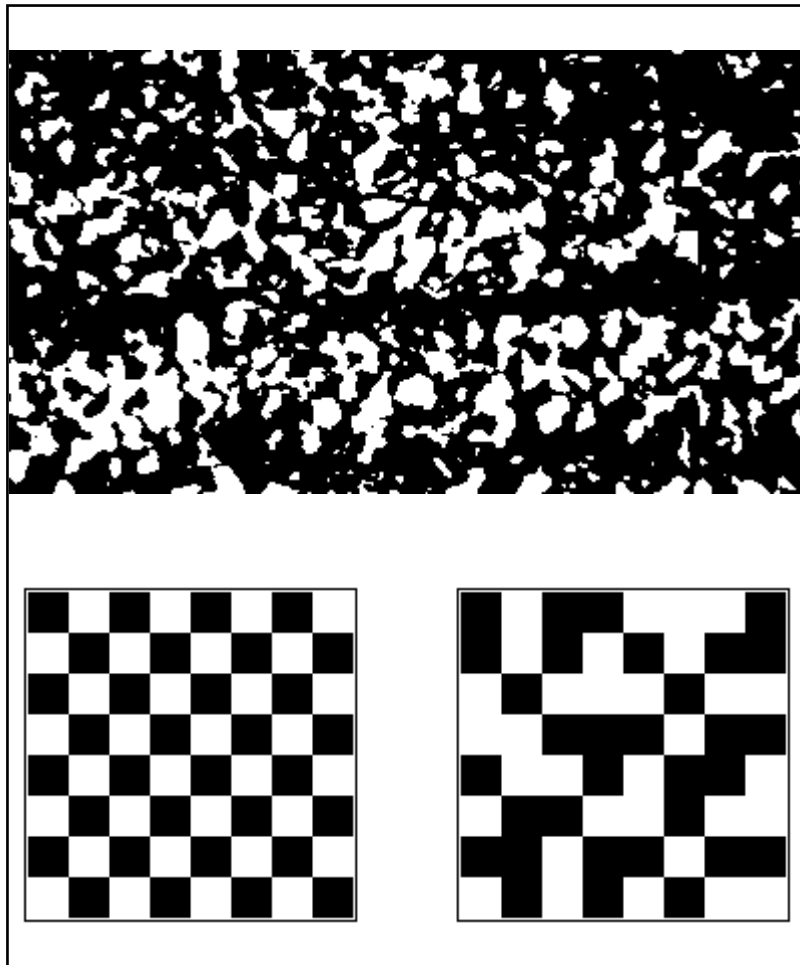


shape change \neq strain
lobate boundaries
convex-concave
angularity, etc.

grain boundary migration
annealing, cataclasis

ishapes
(Heilbronner & Keulen, 2006)

geometrical models



spatial distribution
grain contact frequency

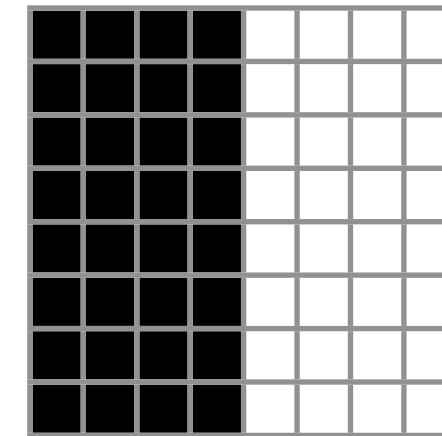
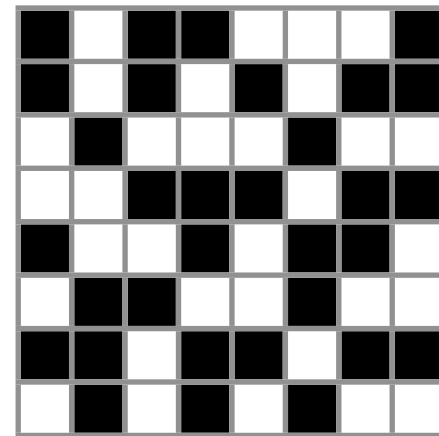
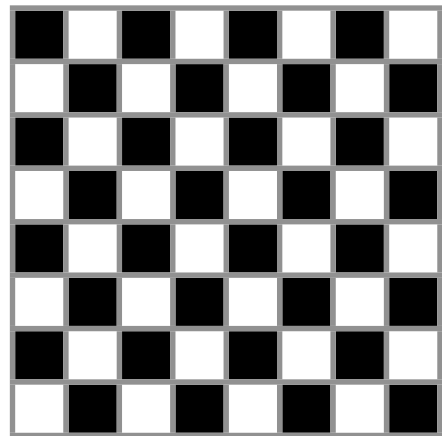
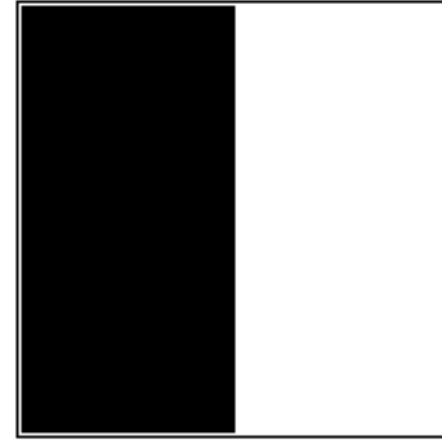
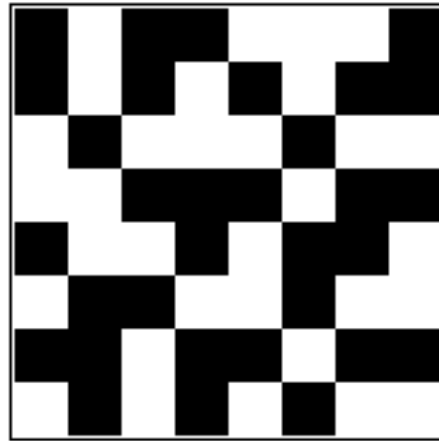
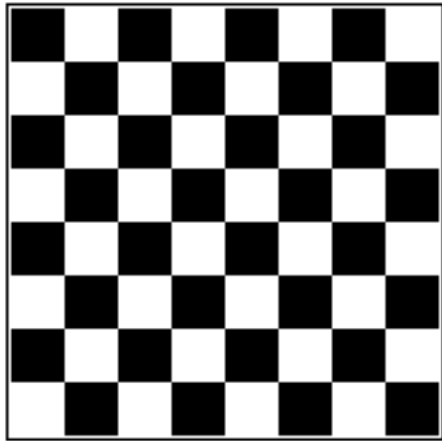
grain boundary sliding
granular flow
heterogeneous nucleation

transition frequency
(Kretz, 1969)

**new definition of old model
≠ Markov chain on 2-D**

3-D model analyzed in 2-D

conceptual model

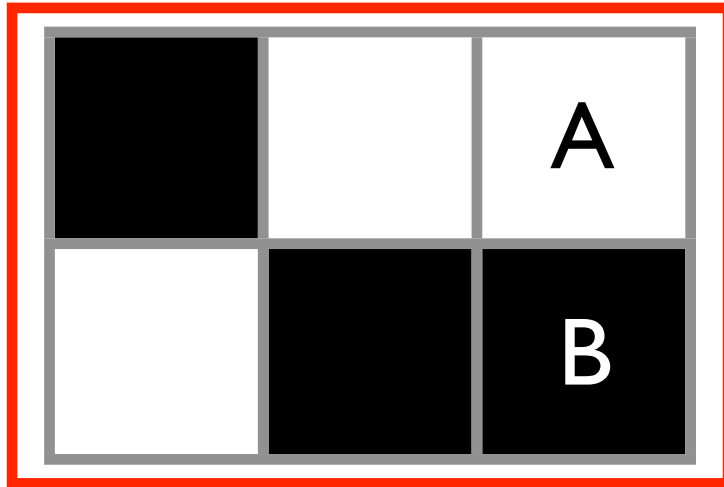


anticlustered

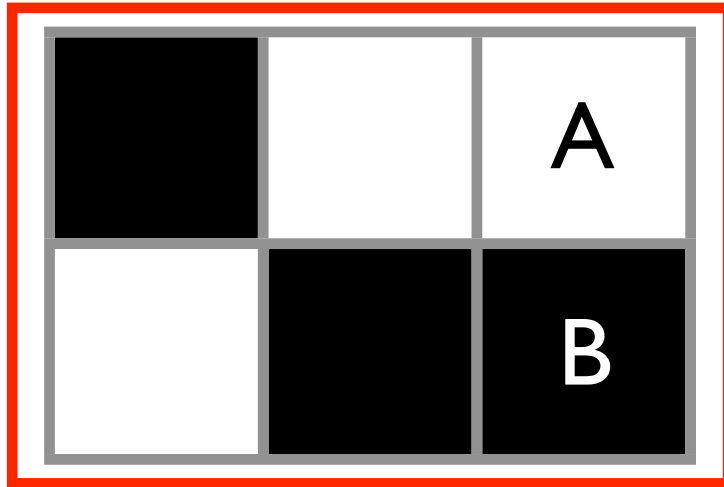
random

clustered

conceptual model



conceptual model



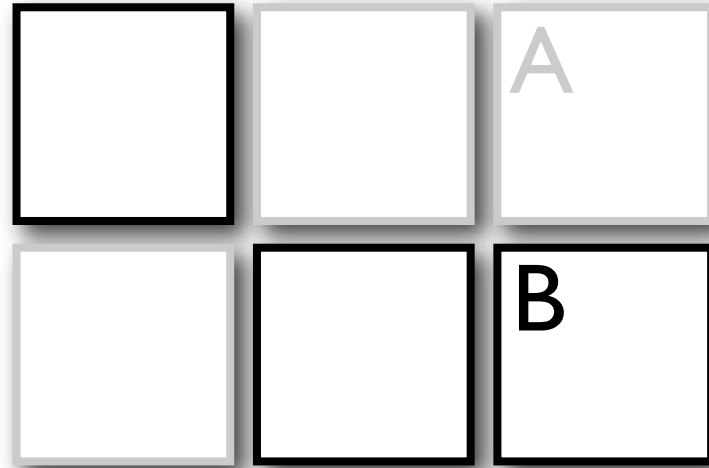
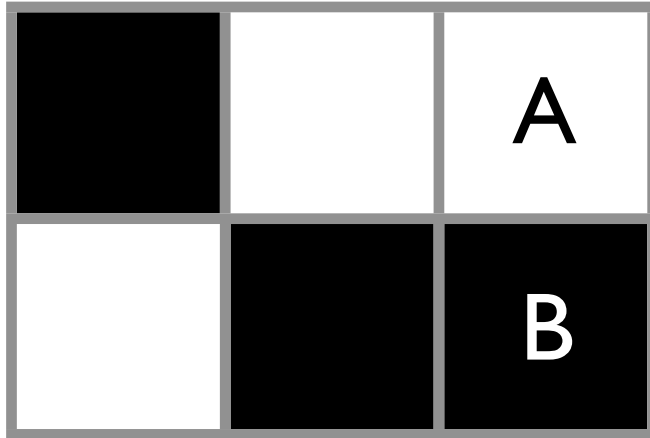
2 types of grains:

A = white

B = black

no. of grains (A) = no. of grains (B)
grain size (A) = grain size (B)

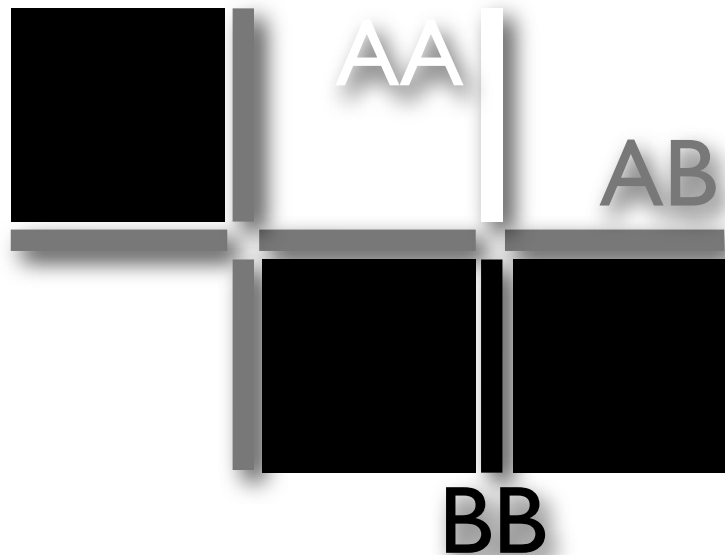
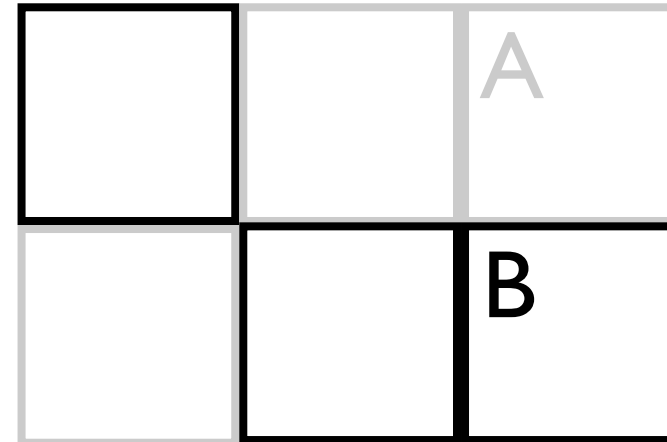
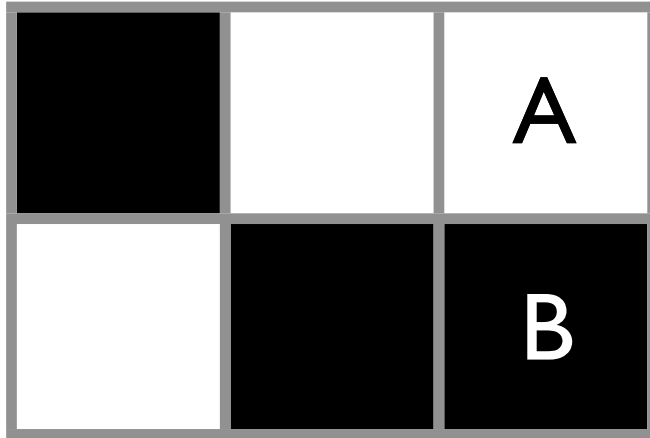
conceptual model



two types of grain
boundary surface S

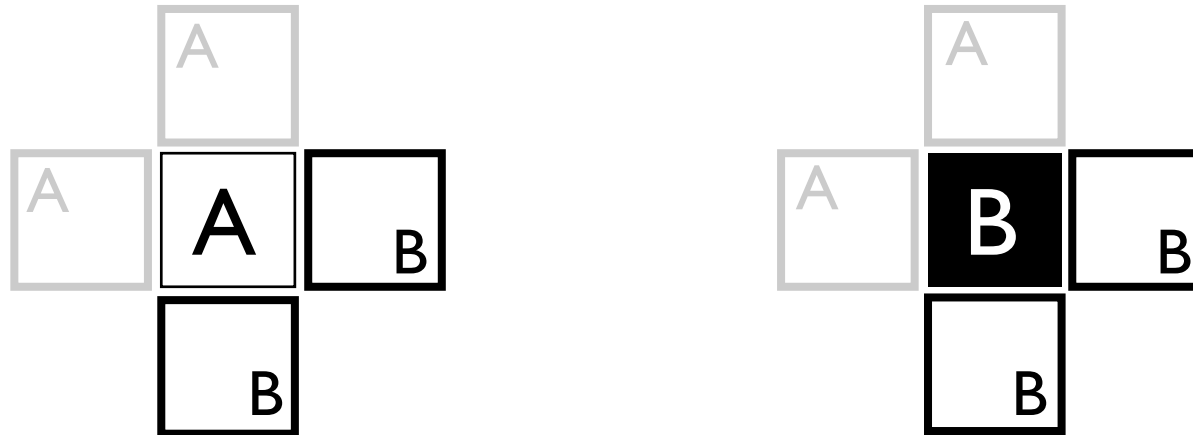
$$\text{surface \% (A)} = \text{surface \% (B)}$$

conceptual model



3 types of grain
contact surface
AA, BB, AB (= BA)

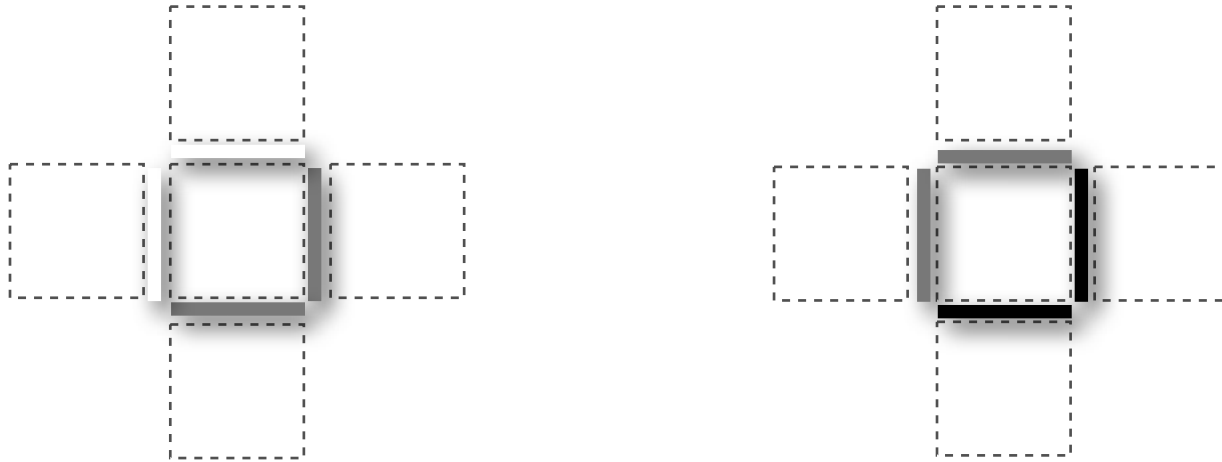
conceptual model



for any given grain A, B, ...
 the chance p_A , p_B , ... of sharing
 grain boundary surface with grains A, B, ...
 is proportional to the surface fraction¹⁾ of A, B, ...

1) surface (phase) / total grain boundary surface

conceptual model



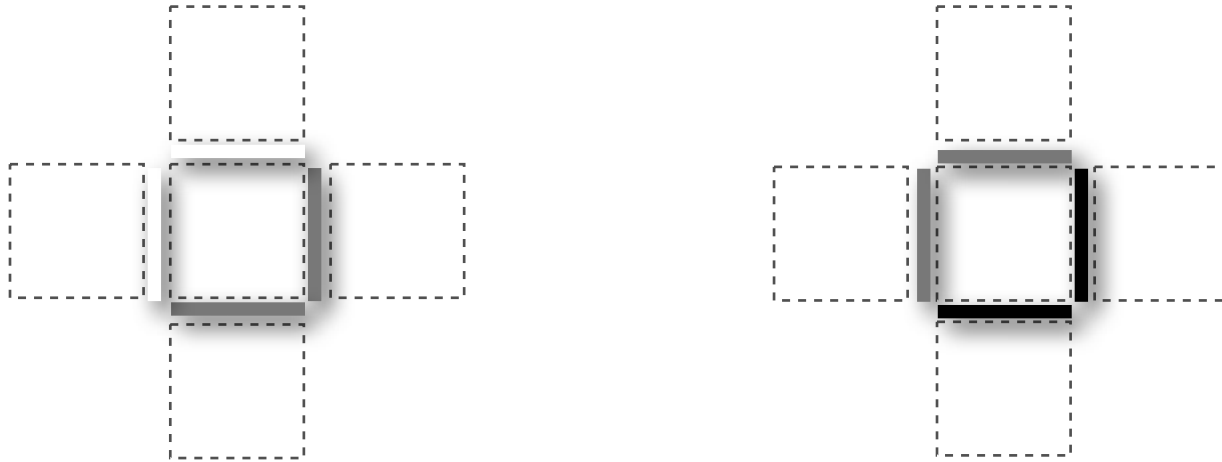
the resulting distributions of contact surface

AA, **AB**, ... **BA**, **BB**, ...

follow the

binomial (polynomial) distribution

conceptual model



$$AA = p_A \cdot p_A = p_A^2$$

$$BB = p_B \cdot p_B = (1 - p_A)^2$$

$$AB = BA = p_A \cdot p_B + p_B \cdot p_A = 2 \cdot p_A \cdot (1 - p_A)$$

conceptual model

Binomial distribution

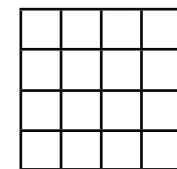
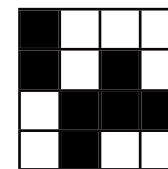
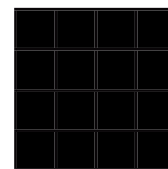
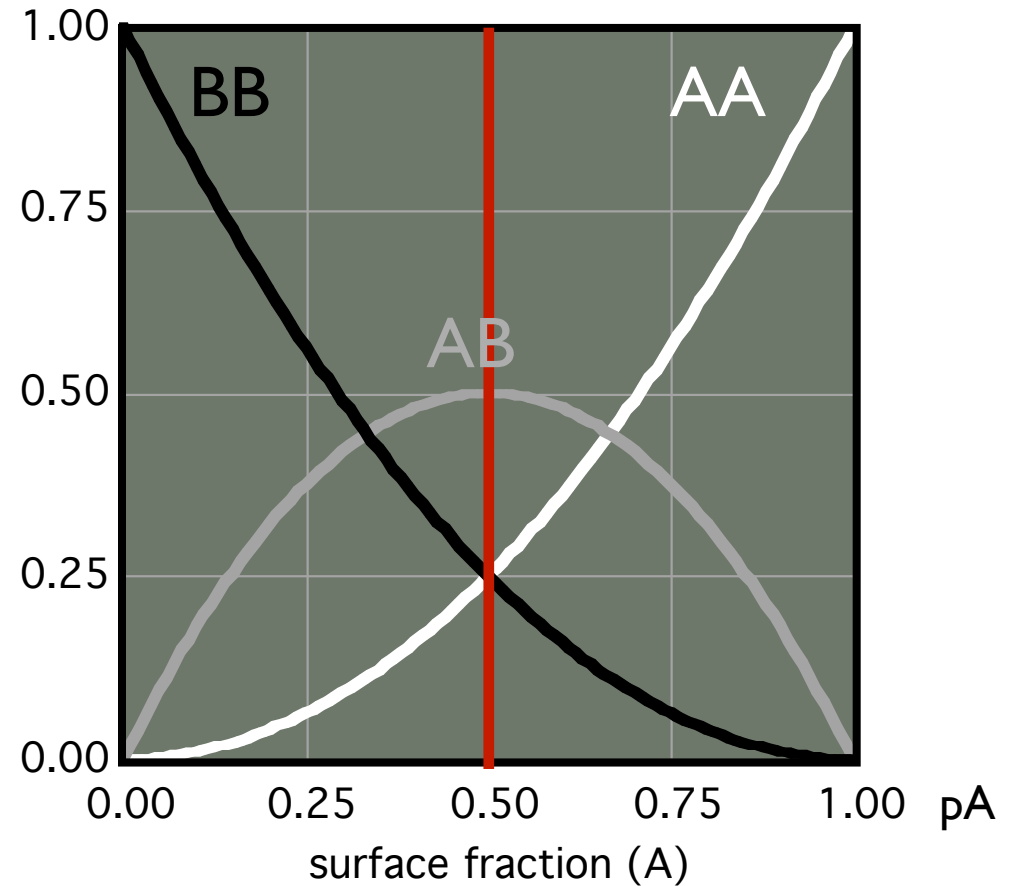
@ $p_A = p_B = 0.5$

$$AA = p_A^2 = 0.25$$

$$AB = 2p_A(1-p_A) = 0.50$$

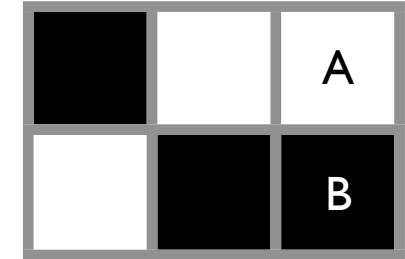
$$BB = (1-p_A)^2 = 0.25$$

@ $p_A = p_B = 0.5$

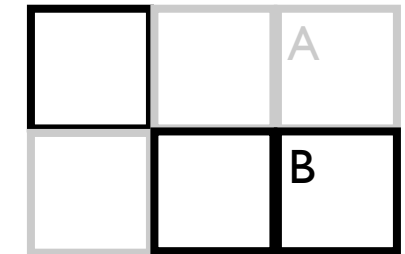


stereology

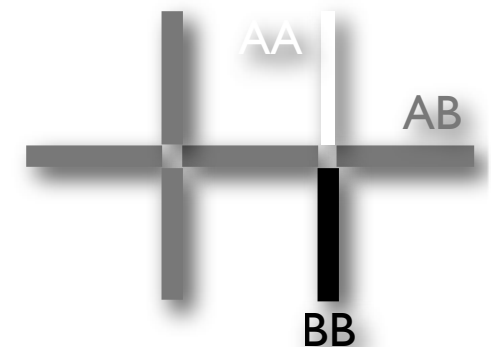
$$\begin{aligned} \text{volume \% (phase)} &= \text{area \% (phase)} \\ &= A(\text{phase}) / A_{\text{tot}} \\ &= A_{\Delta}(\text{phase}) \end{aligned}$$



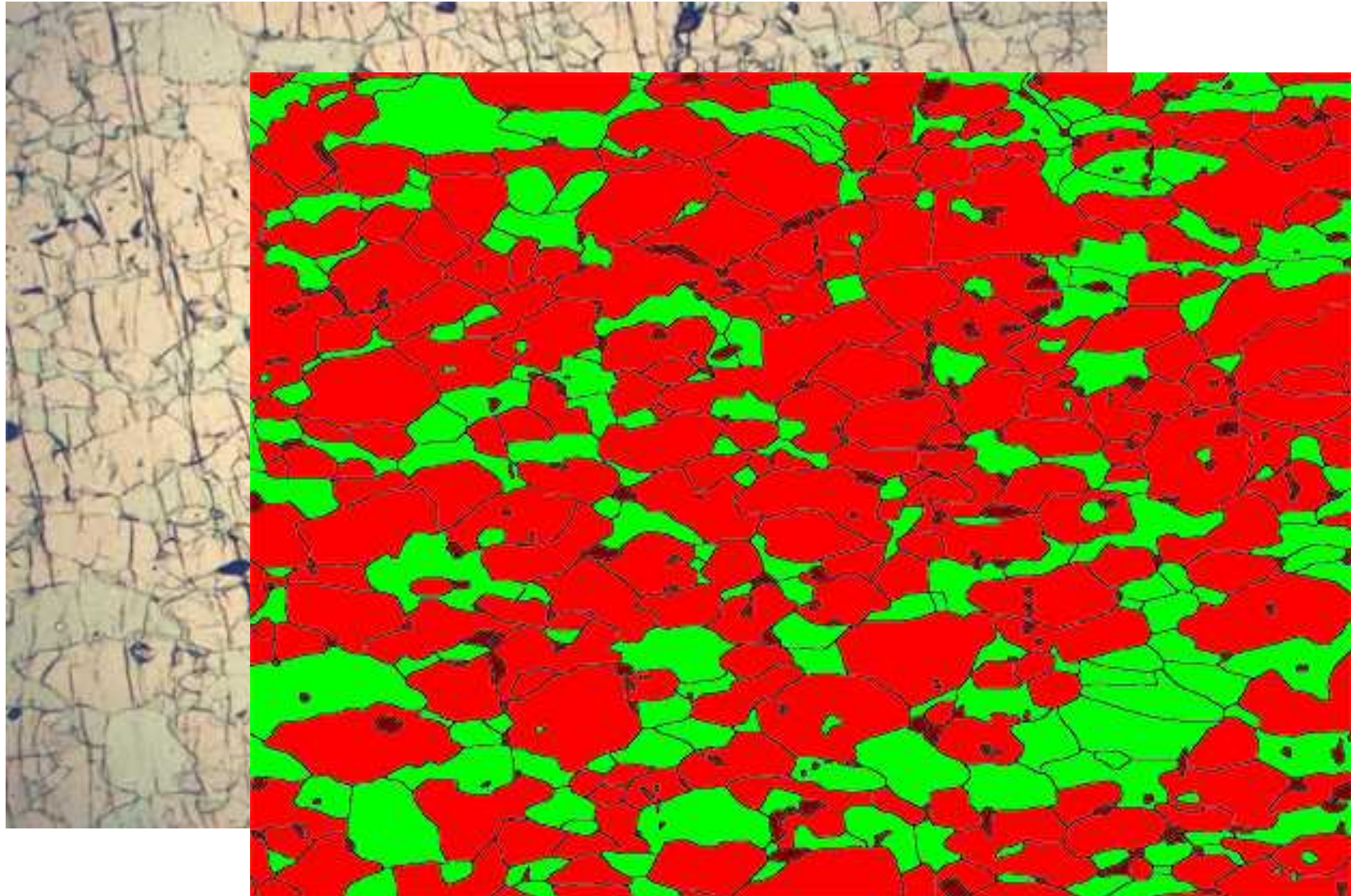
$$\begin{aligned} \text{surface \% (phase)} &= \text{outline \% (phase)} \\ &= L(\text{phase}) / L_{\text{tot}} \\ &= L_{\perp}(\text{phase}) \end{aligned}$$



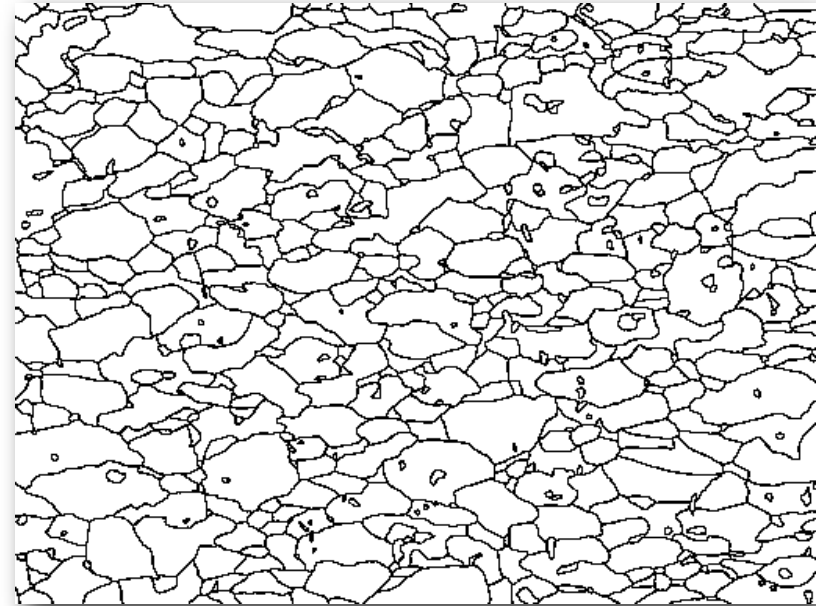
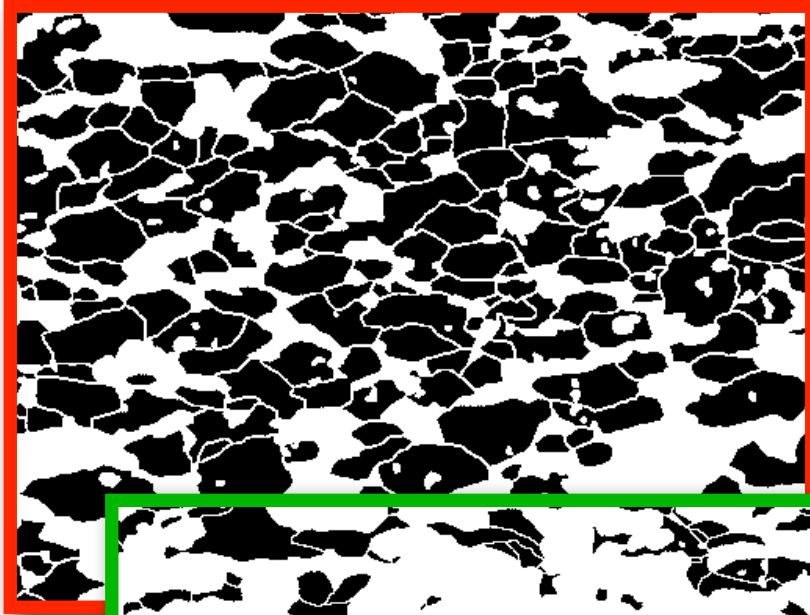
$$\begin{aligned} \text{surface \% (contact)} &= \text{line \% (contact)} \\ &= L(\text{contact}) / L_{\text{tot}} \\ &= L_{\perp}(\text{contact}) \end{aligned}$$



how to measure volume and surface in 2-D

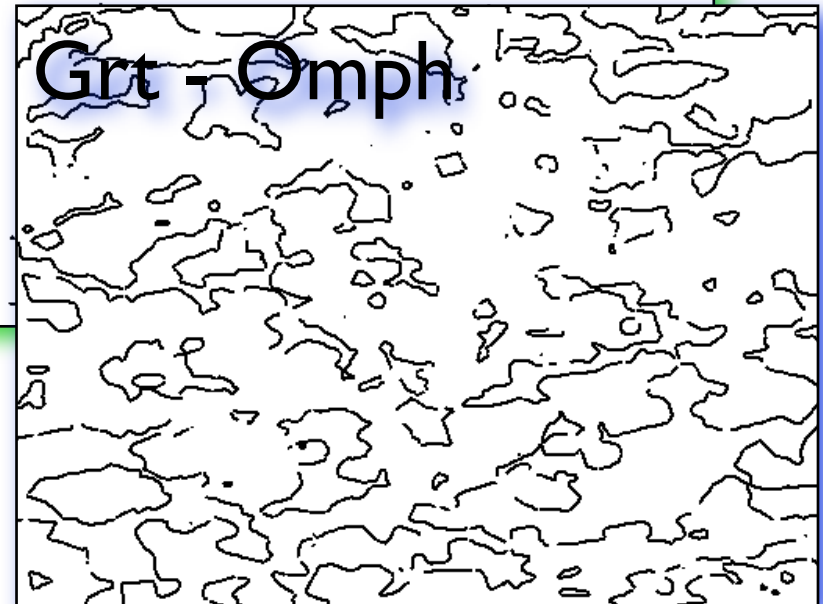
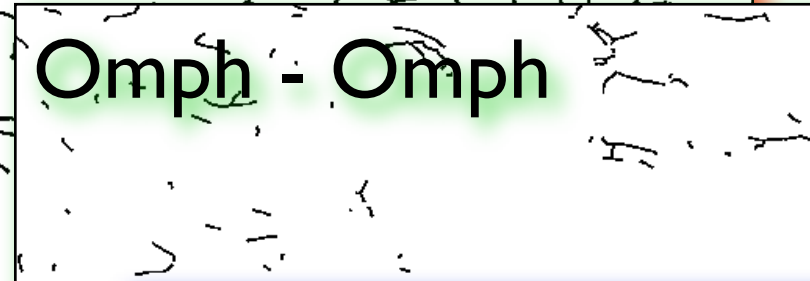
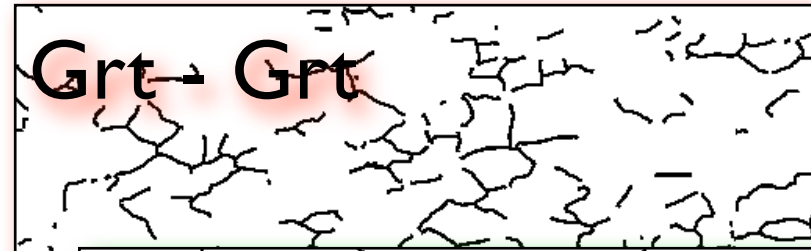
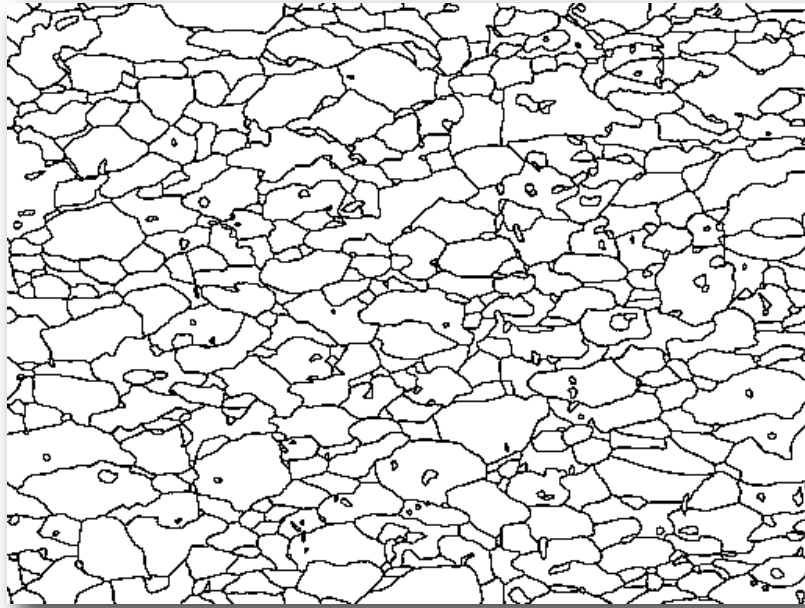


3-D volume% = area%

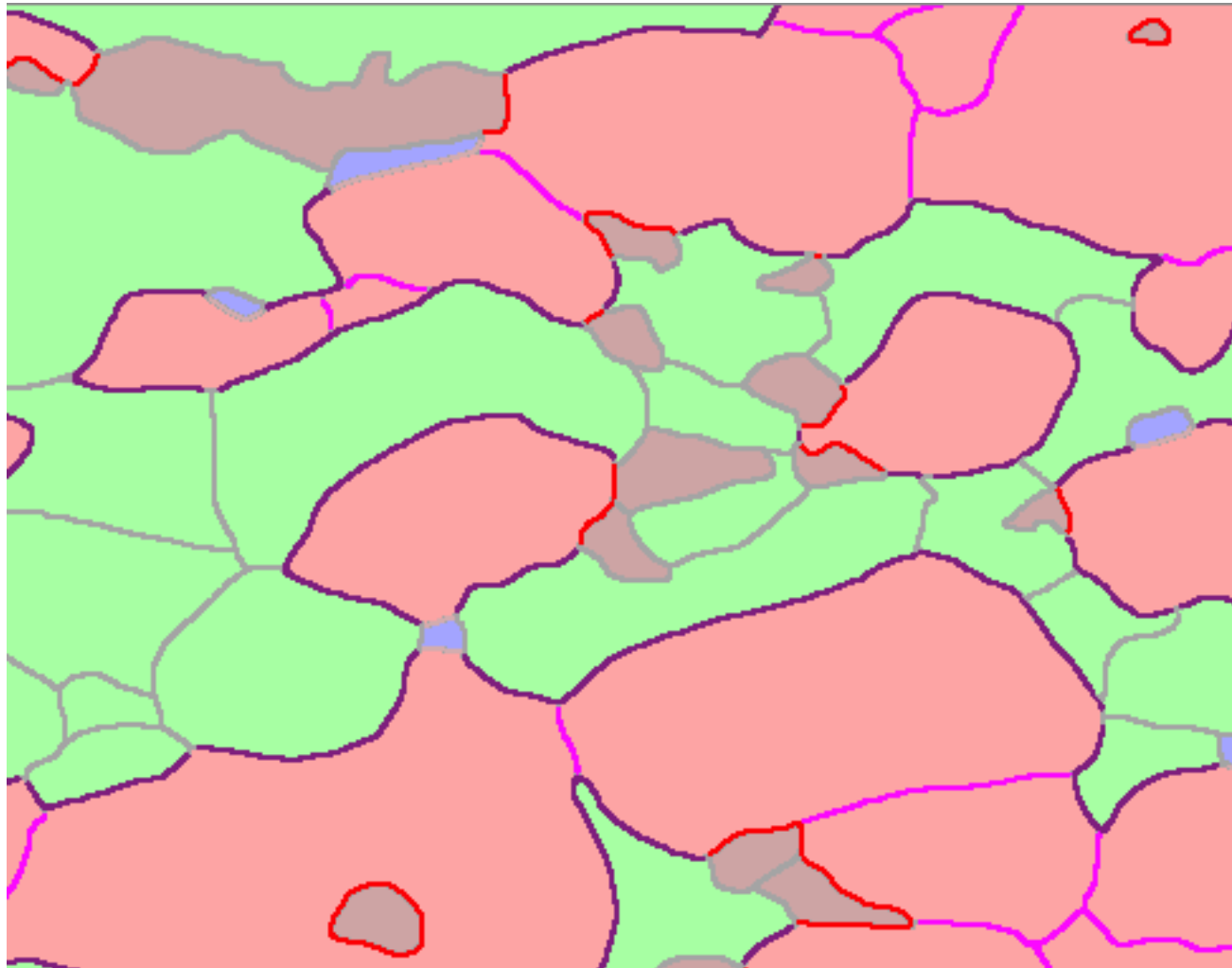


3-D grain surface%
= boundary outline %

3-D contact surface% = contact line%



how to find contact surfaces in 2-D



micrograph

grain boundary map

phases

boundary of phases

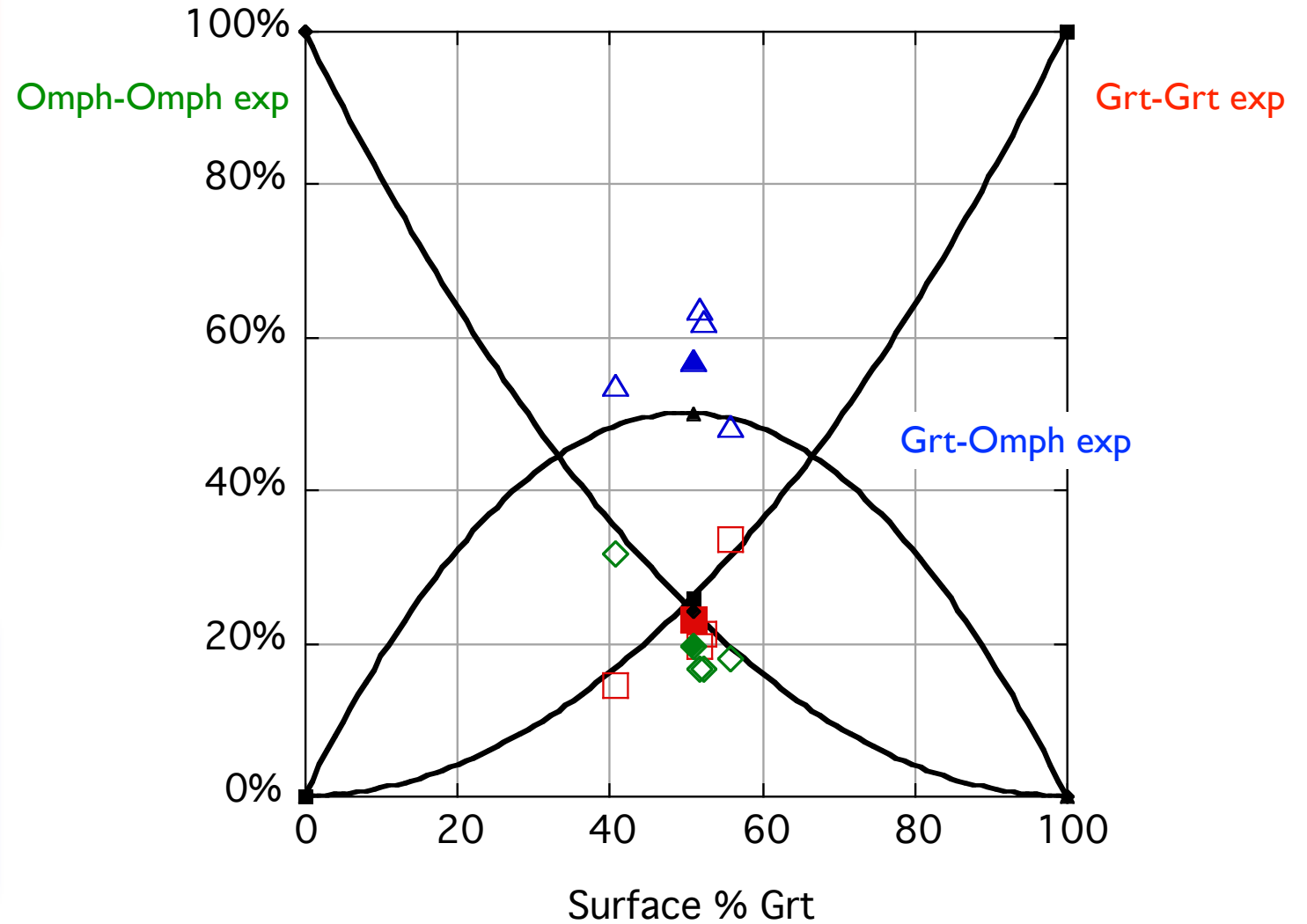
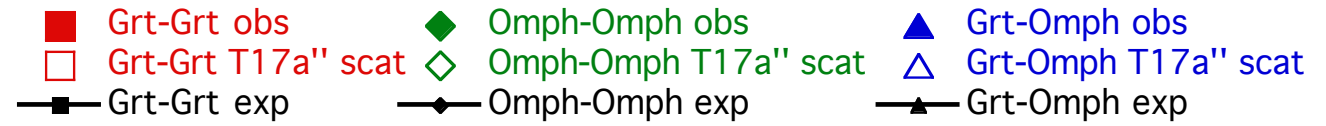
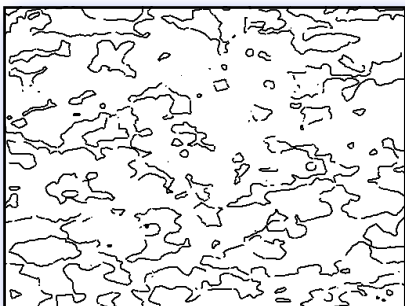
overlap of phases
=> contact types

T30_6_Surface

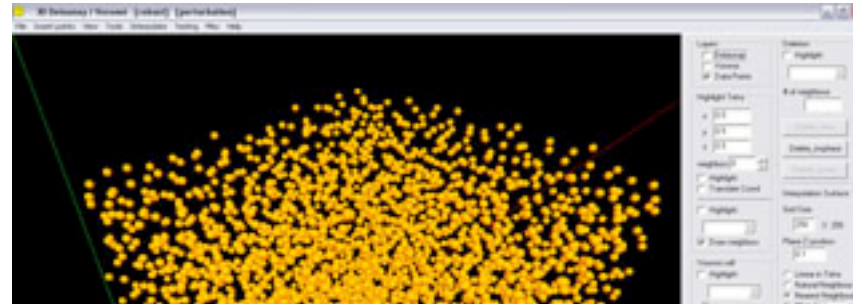
grain boundaries



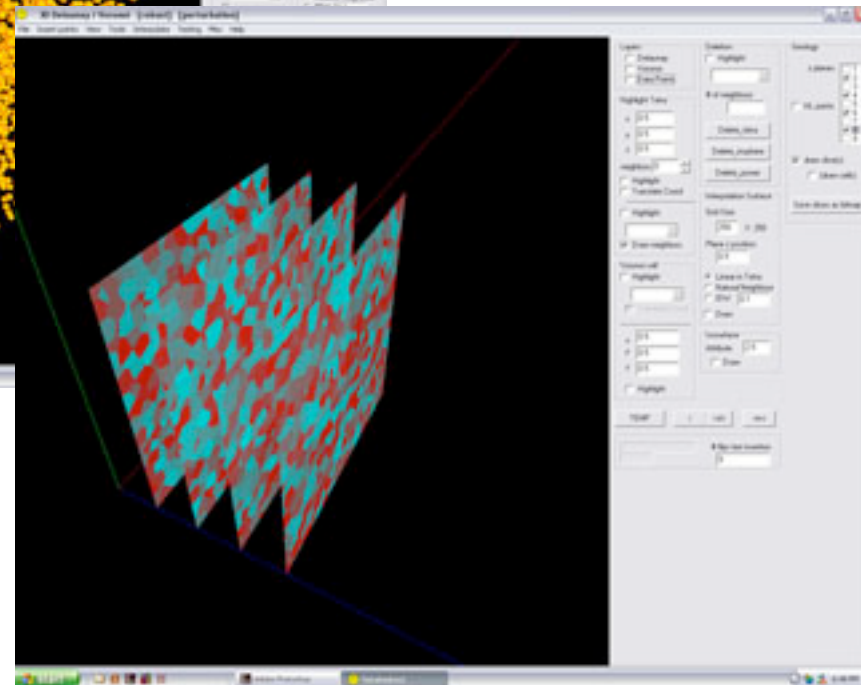
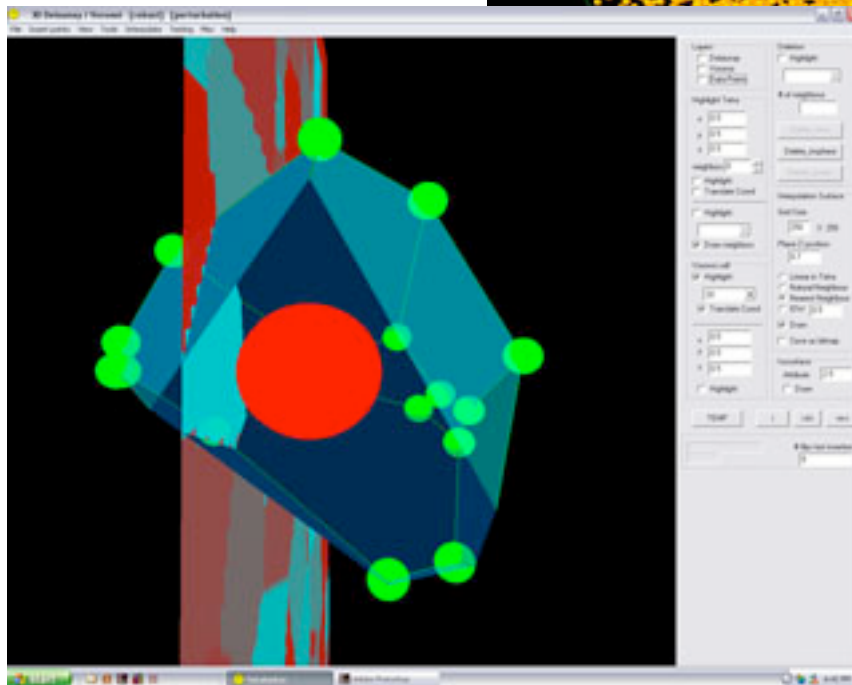
phase boundaries



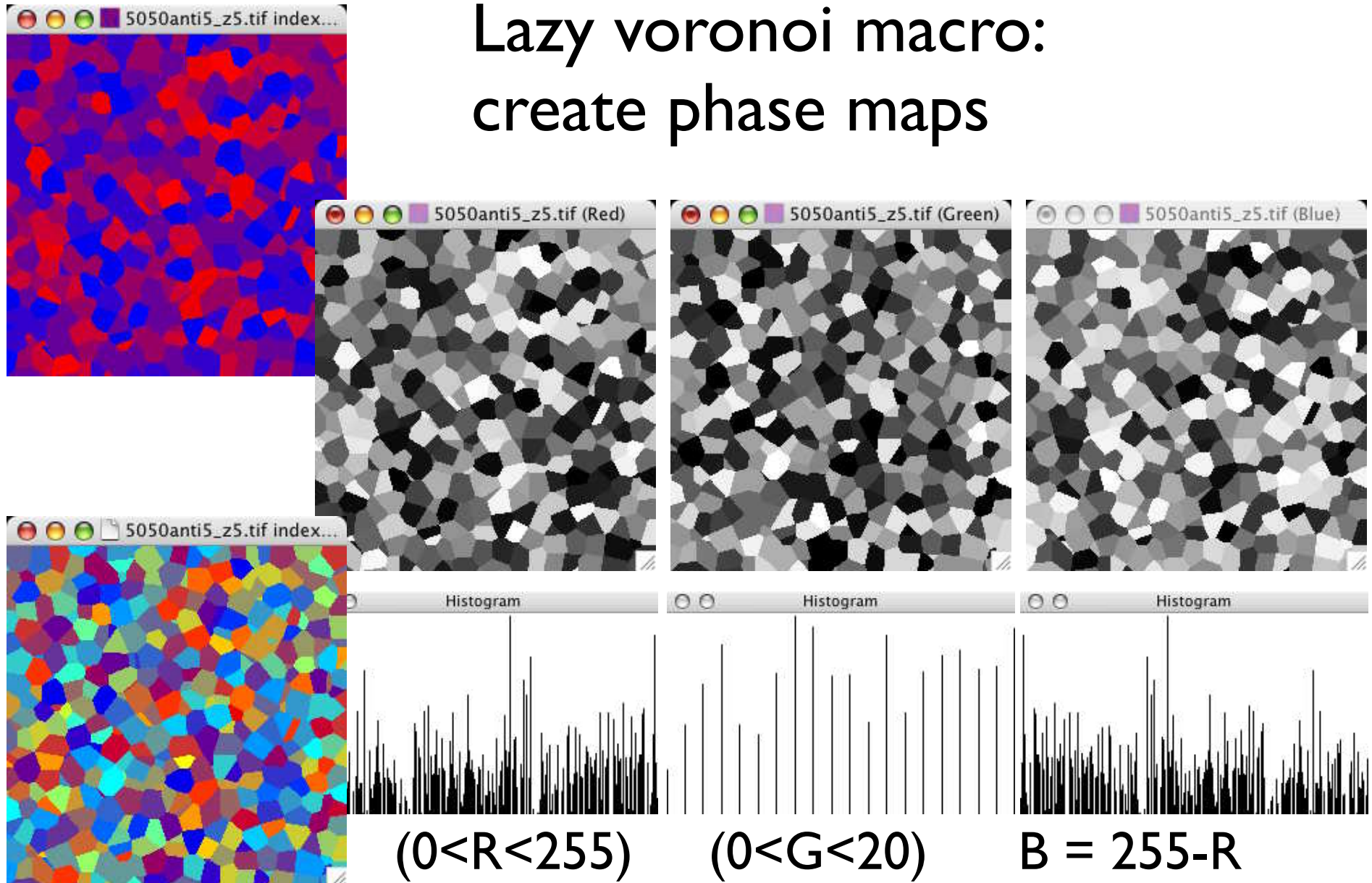
3-D numerical simulations



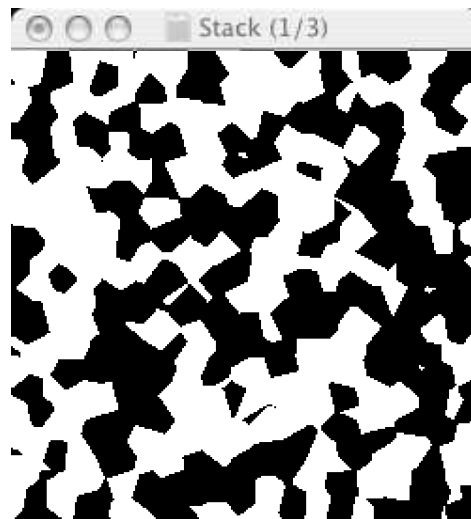
software:
Hugo Ledoux



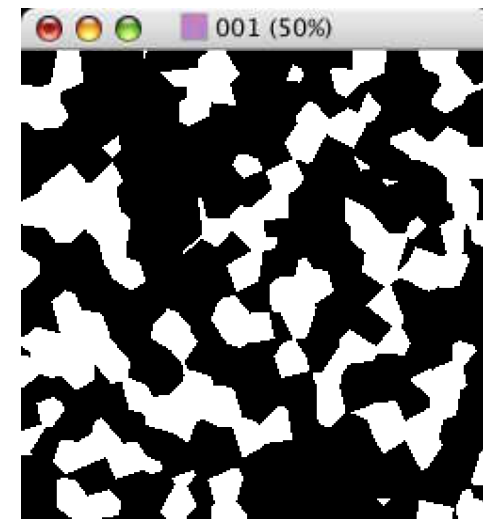
Lazy voronoi macro: create phase maps



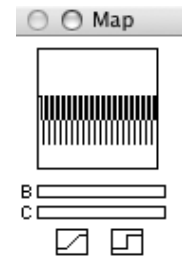
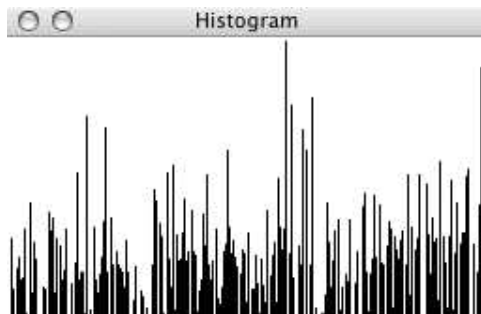
Lazy voronoi macro: create phase maps



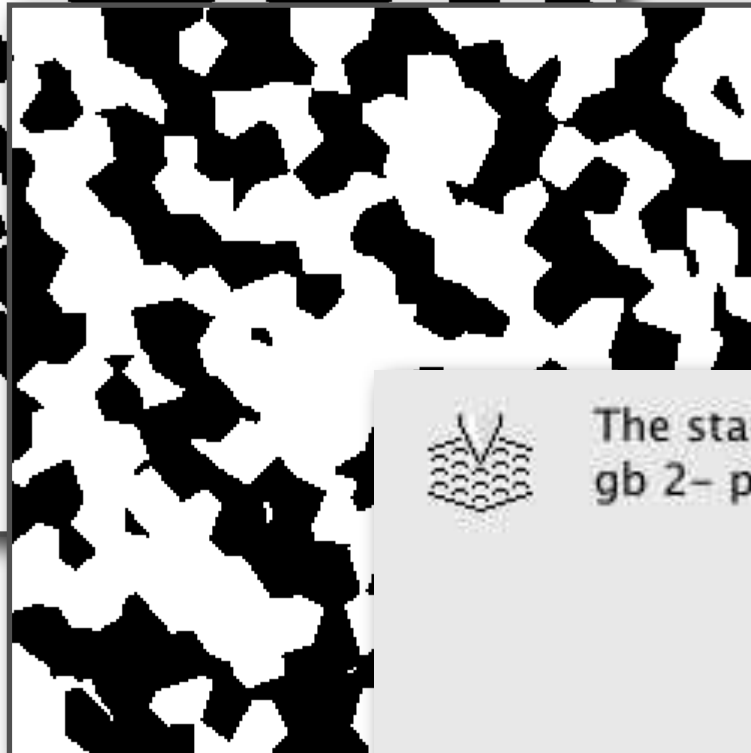
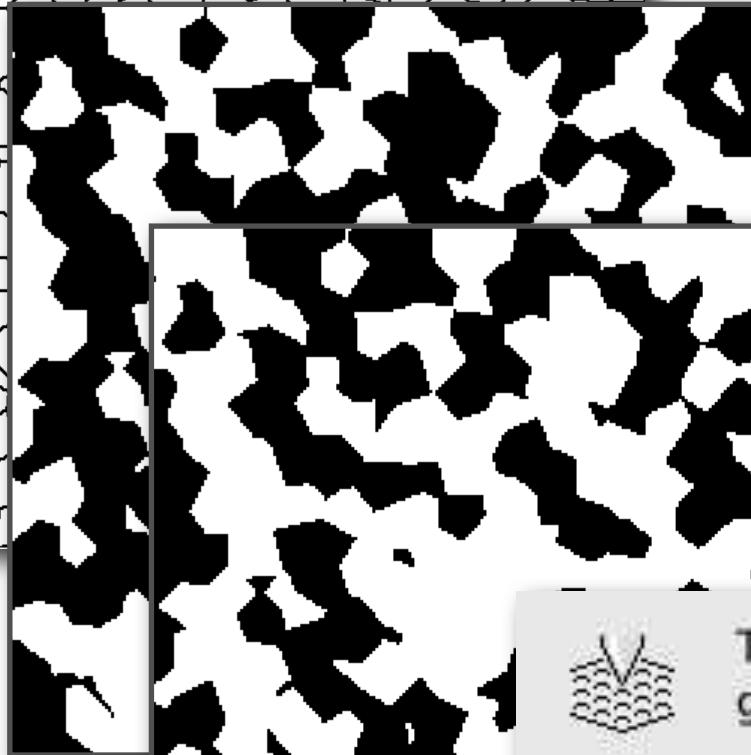
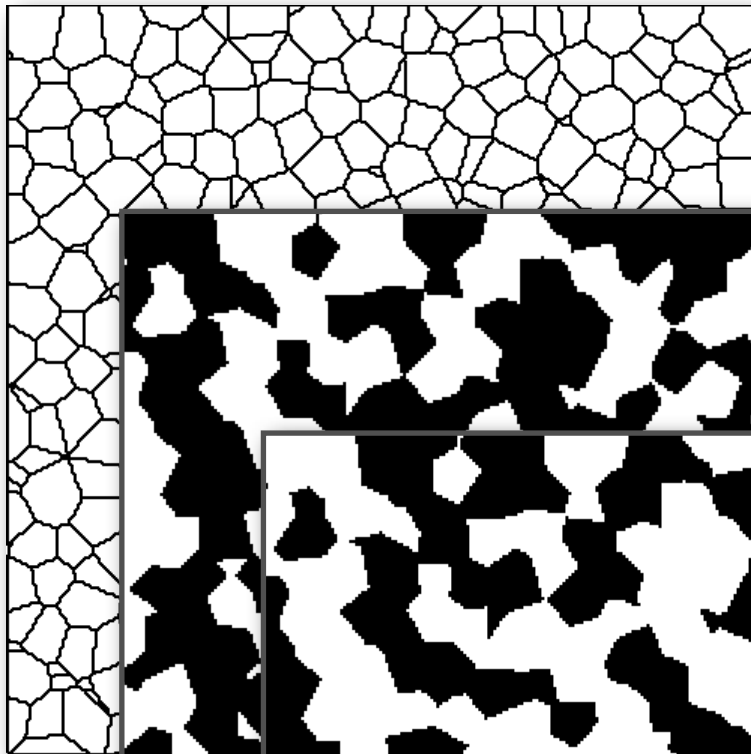
every 2nd



every 3rd



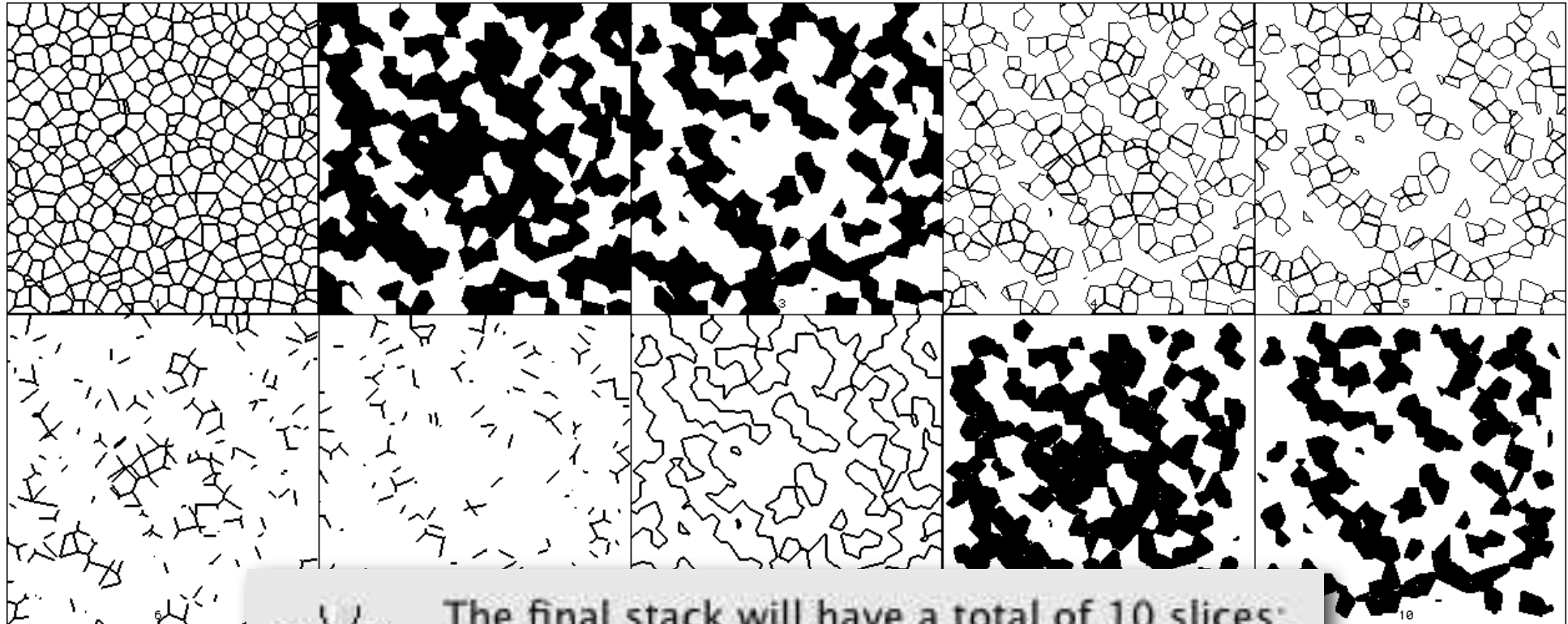
Lazy voronoi contacts:
create gb maps and
grain contact maps
from phase maps



The starting stack must contain 3 slices: 1-
gb 2- phaseA, 3-phaseB

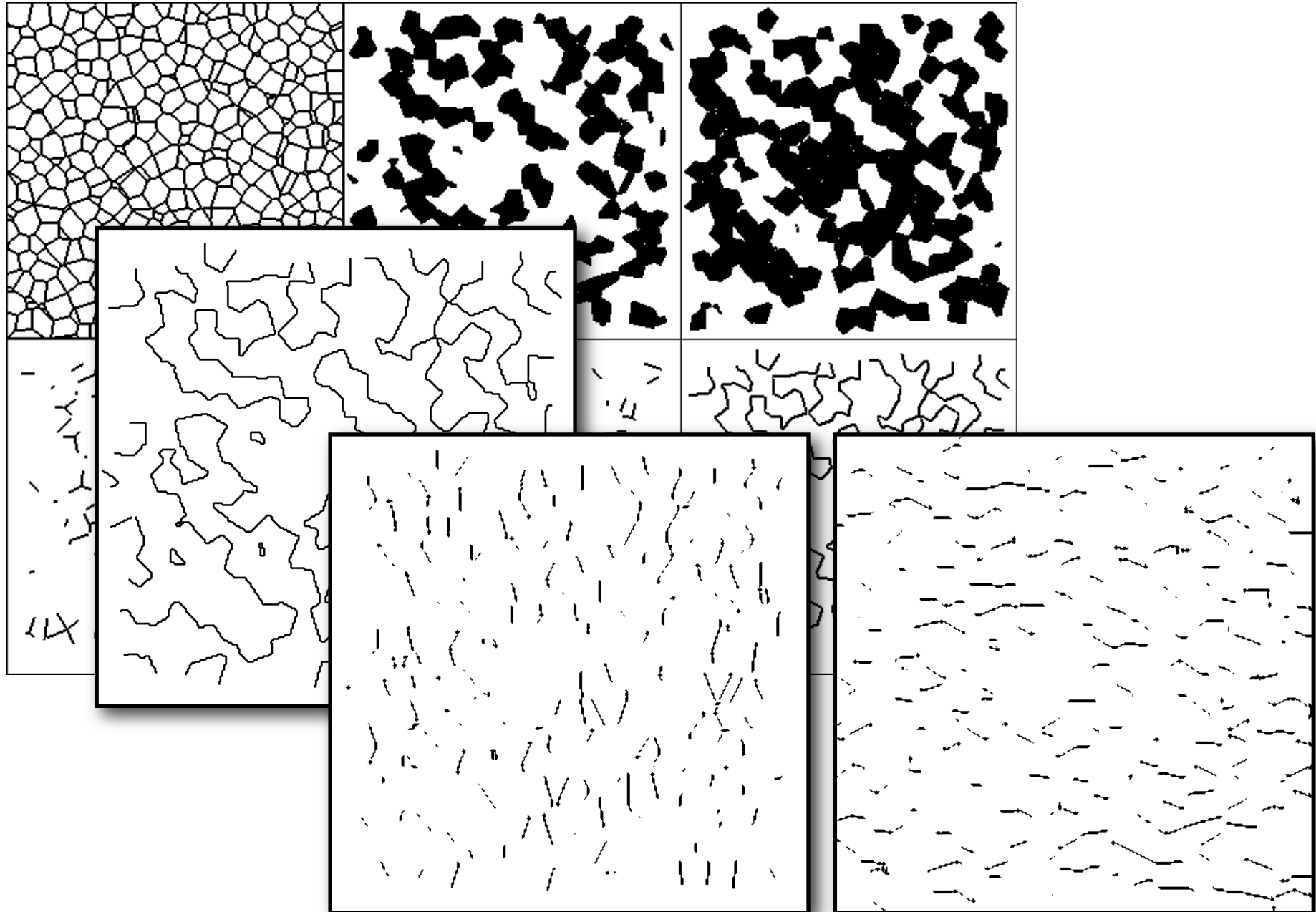
OK

Lazy voronoi contacts

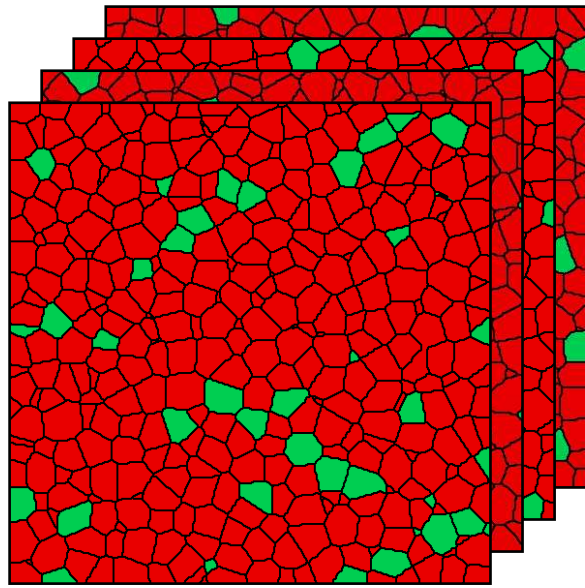


The final stack will have a total of 10 slices:
1-gb 2- phaseA, 3-phaseB, 4-for gb A, 5-
for gb B, 6-for AA, 7-for BB, 8-for AB, 9-
areasA, 10-areasB

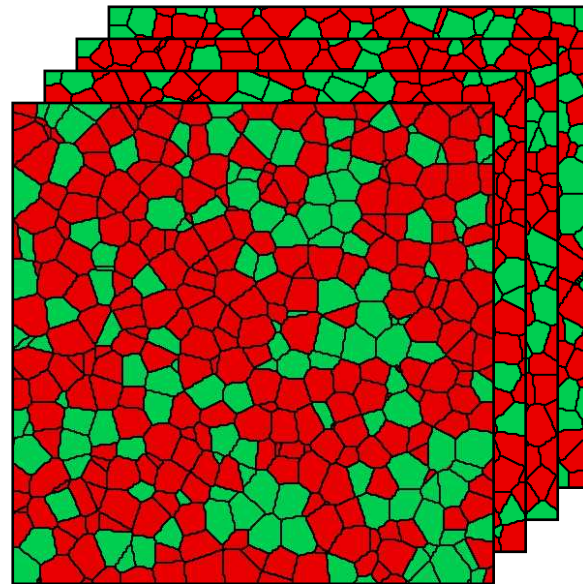
OK



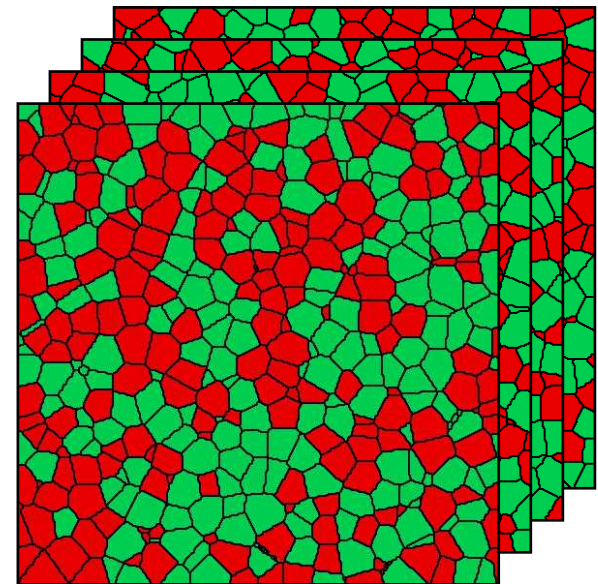
3-D numerical simulations



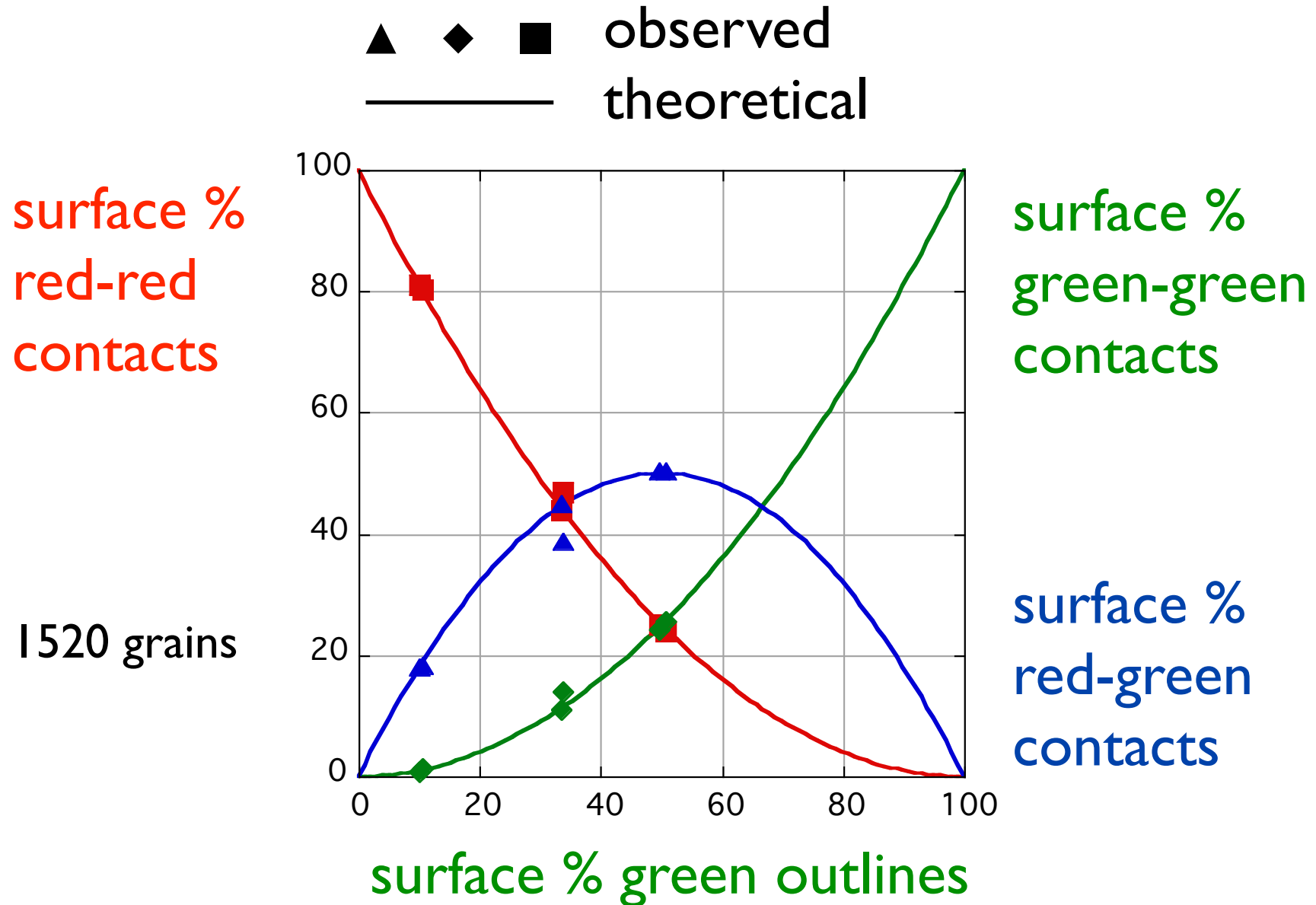
10:90



33:66



50:50

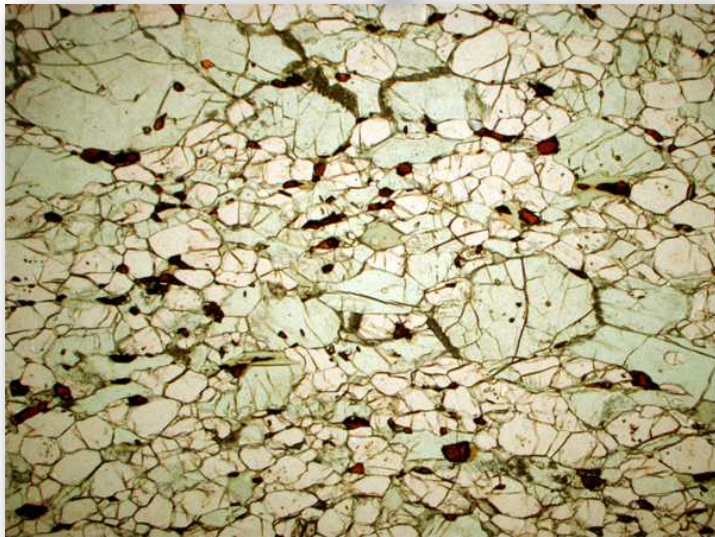


Troms Nappe eclogites

T21: low garnet content



T30: medium garnet content

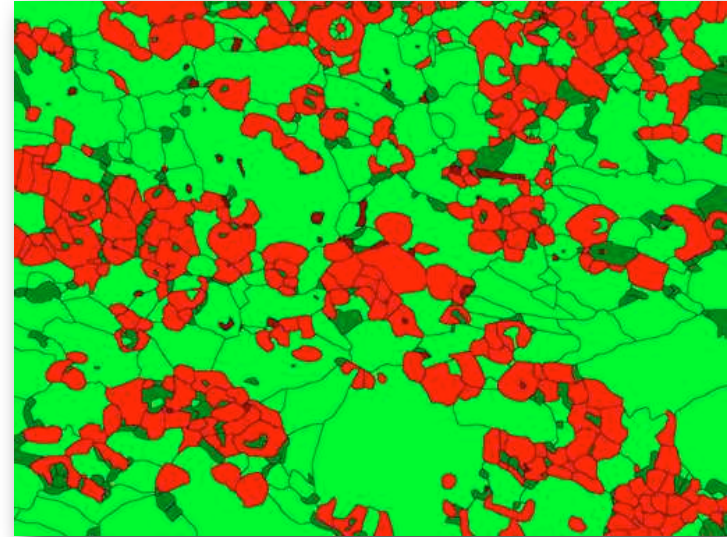


T17: high garnet content

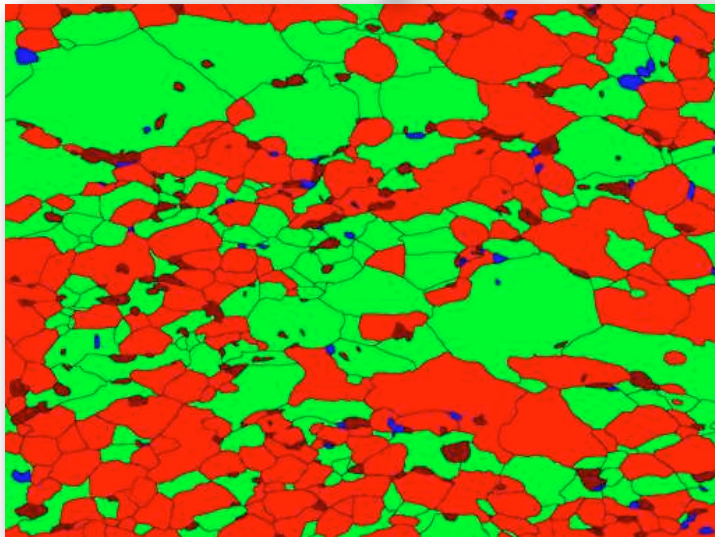


Troms Nappe eclogites

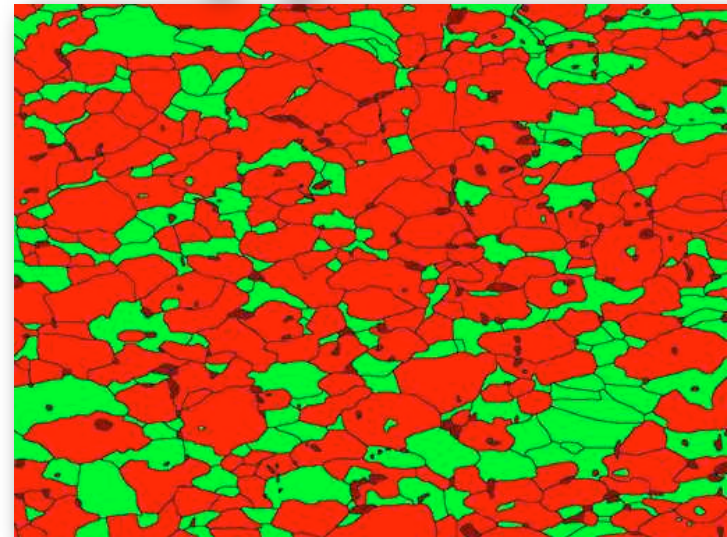
T21: low garnet content

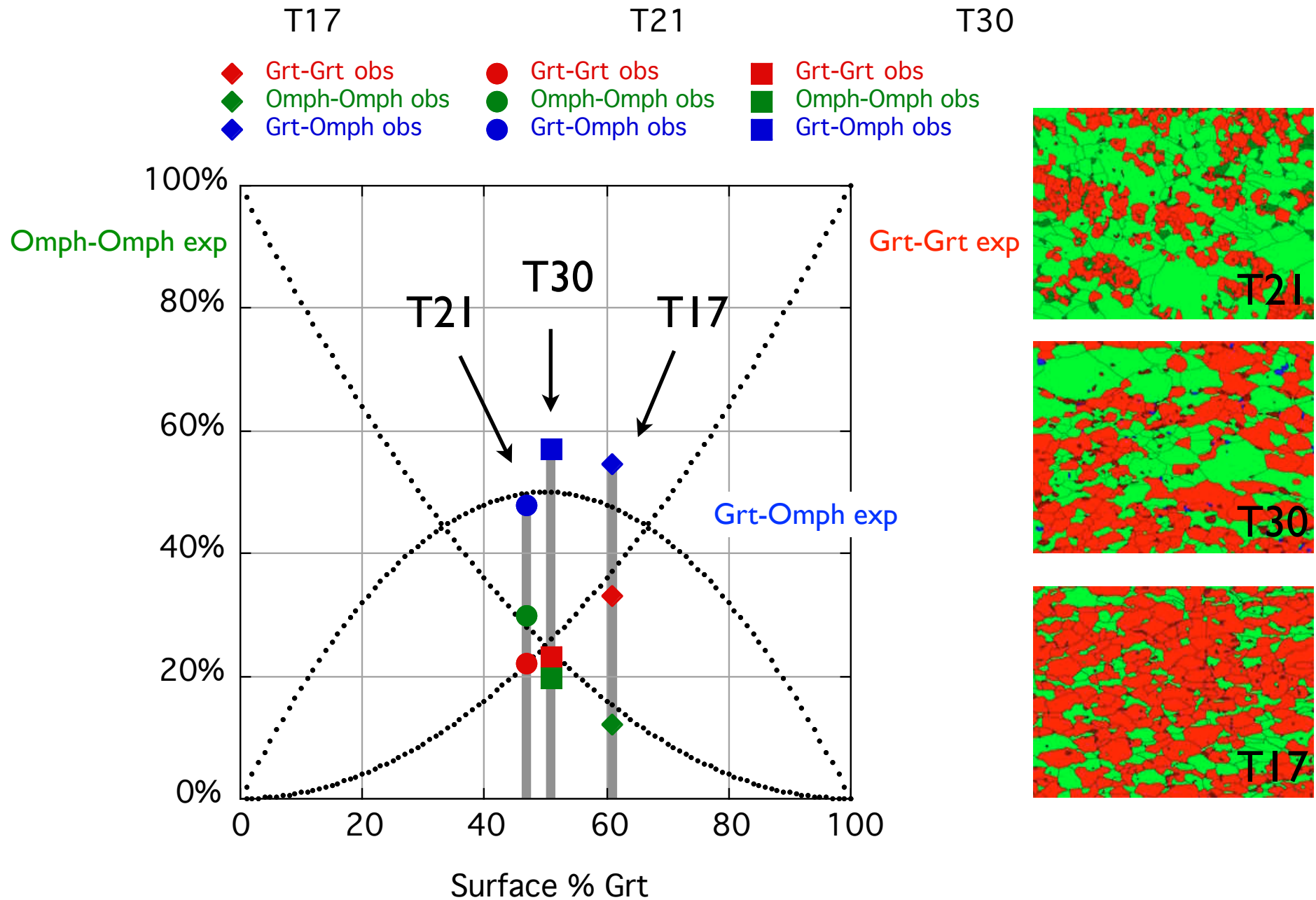


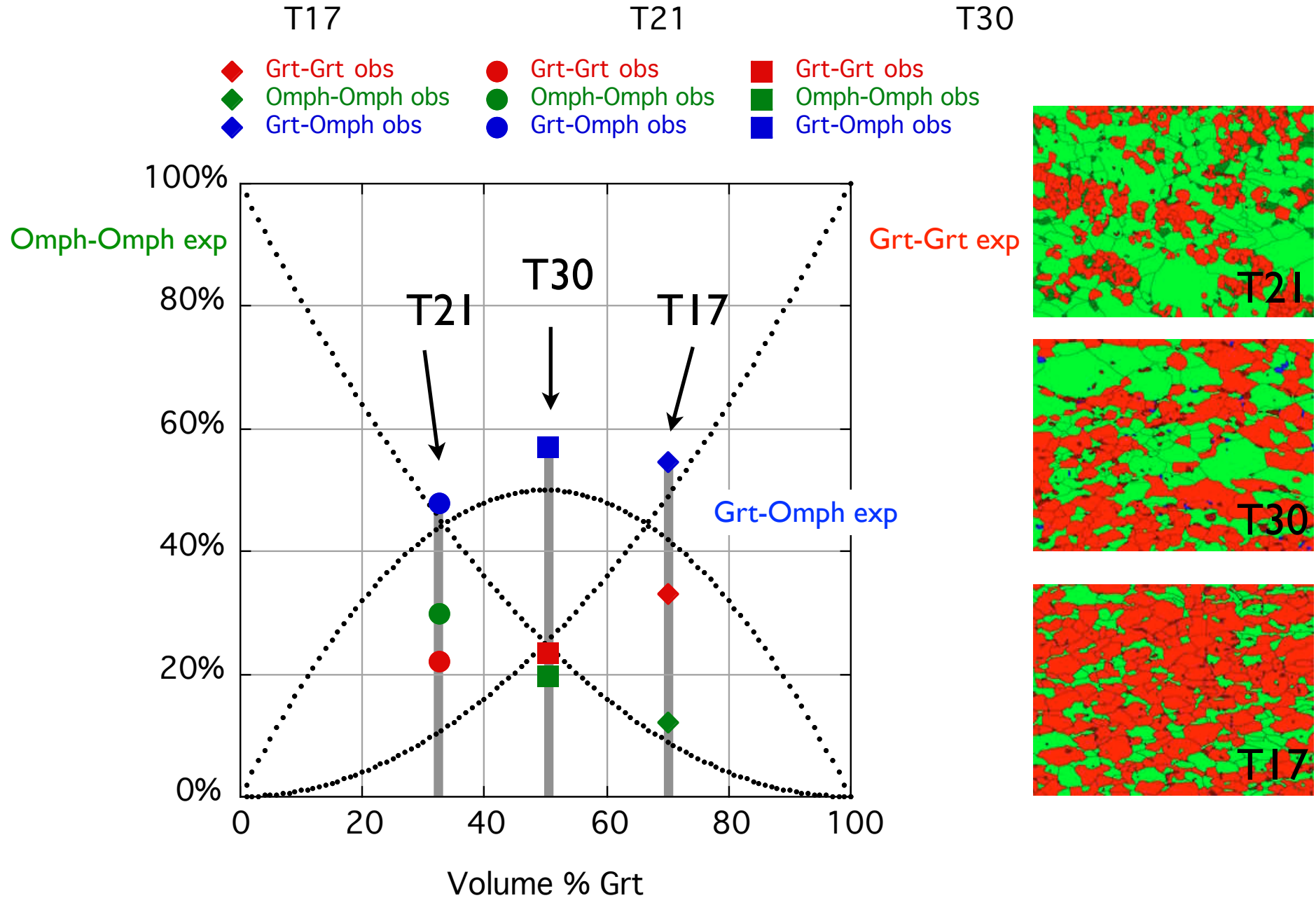
T30: medium garnet content

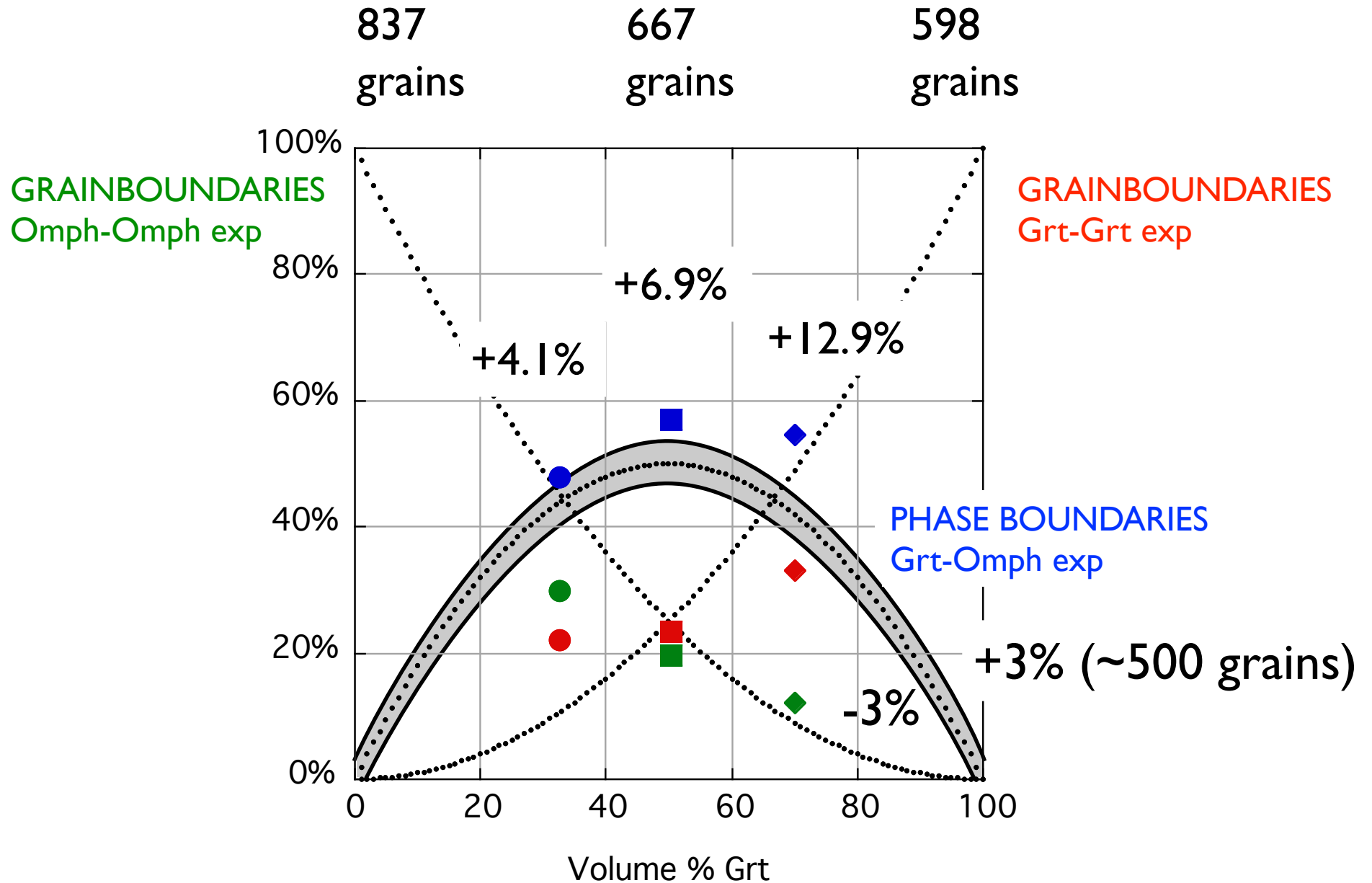


T17: high garnet content





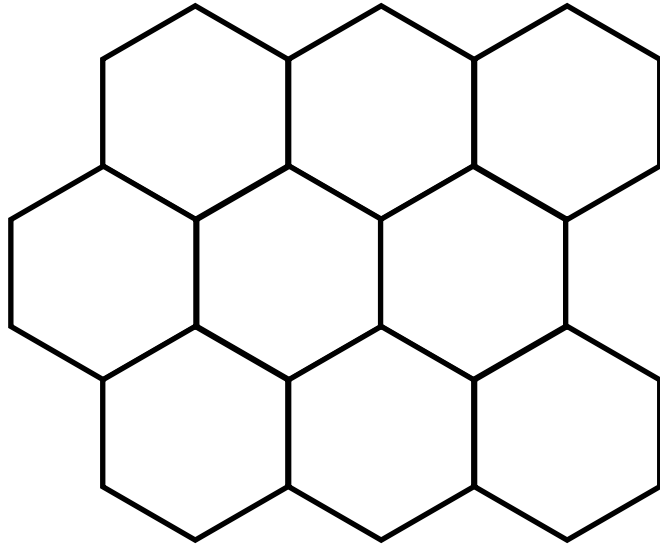




spatial distribution
= diffusion creep

process ?

micromechanical models

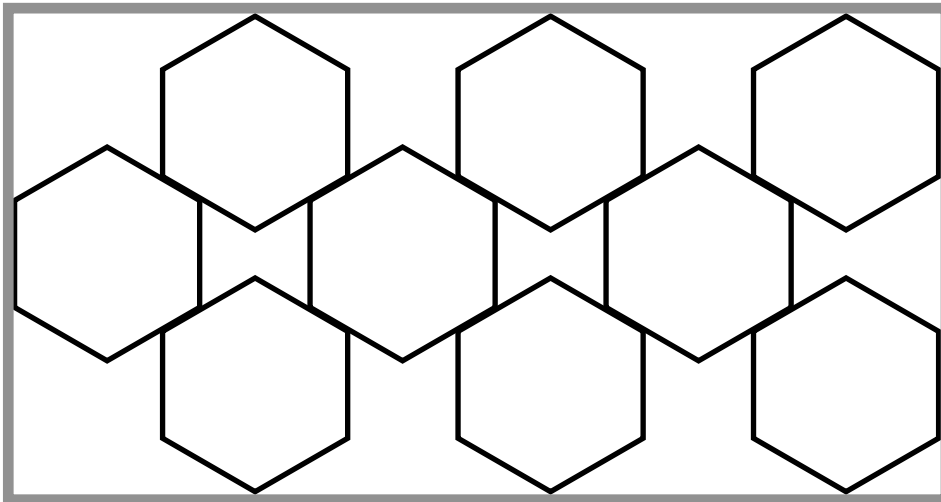


mass flux

diffusion creep

- through solid

- along boundary

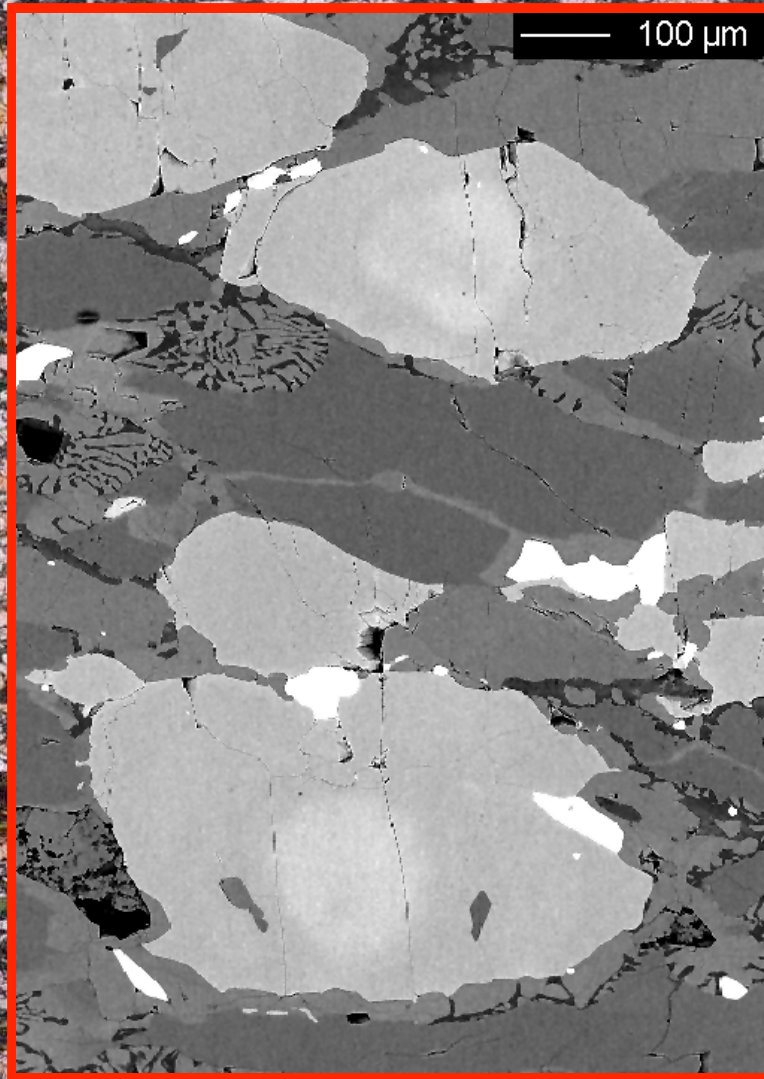


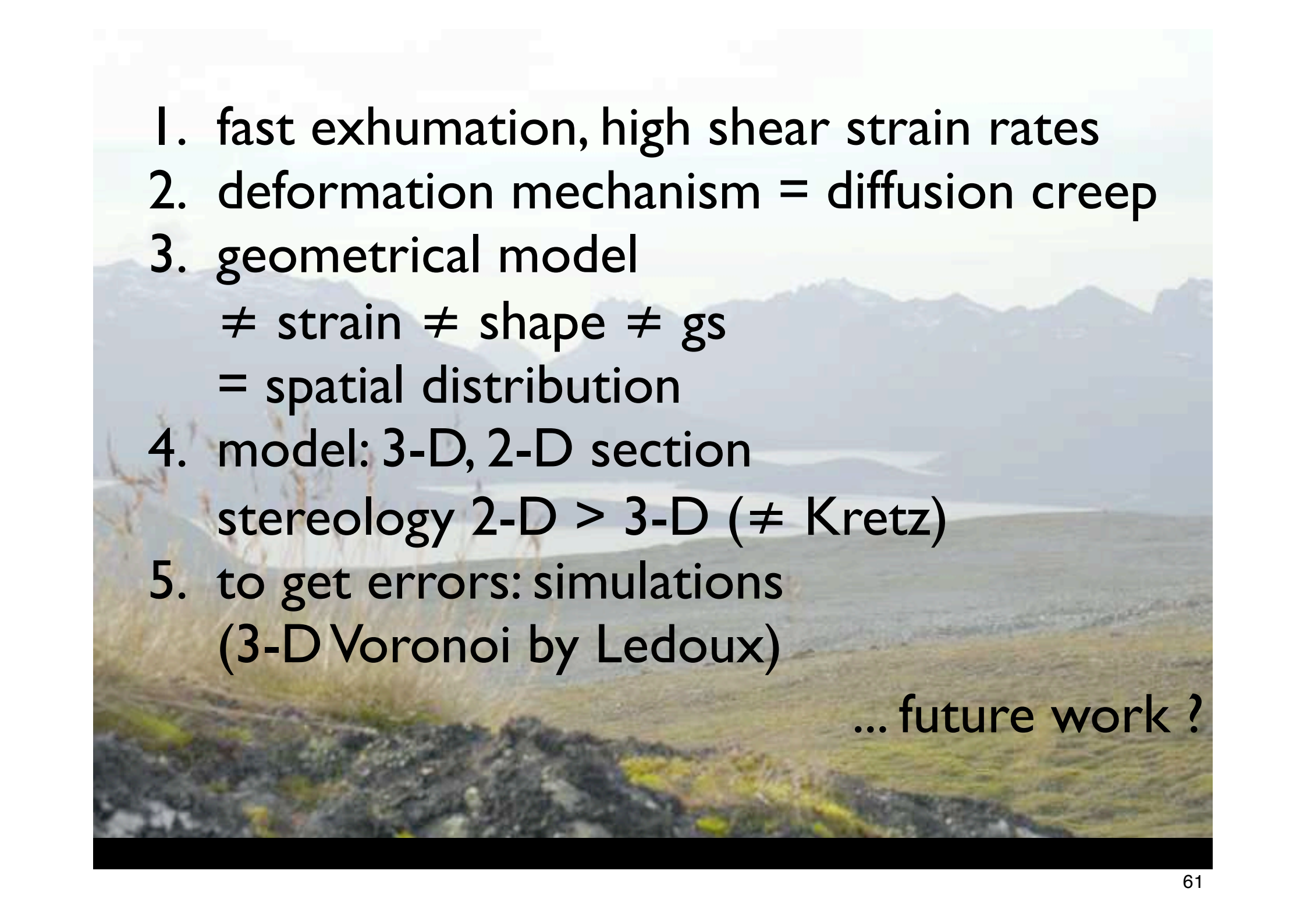
granular flow

grain boundary sliding

pressure solution

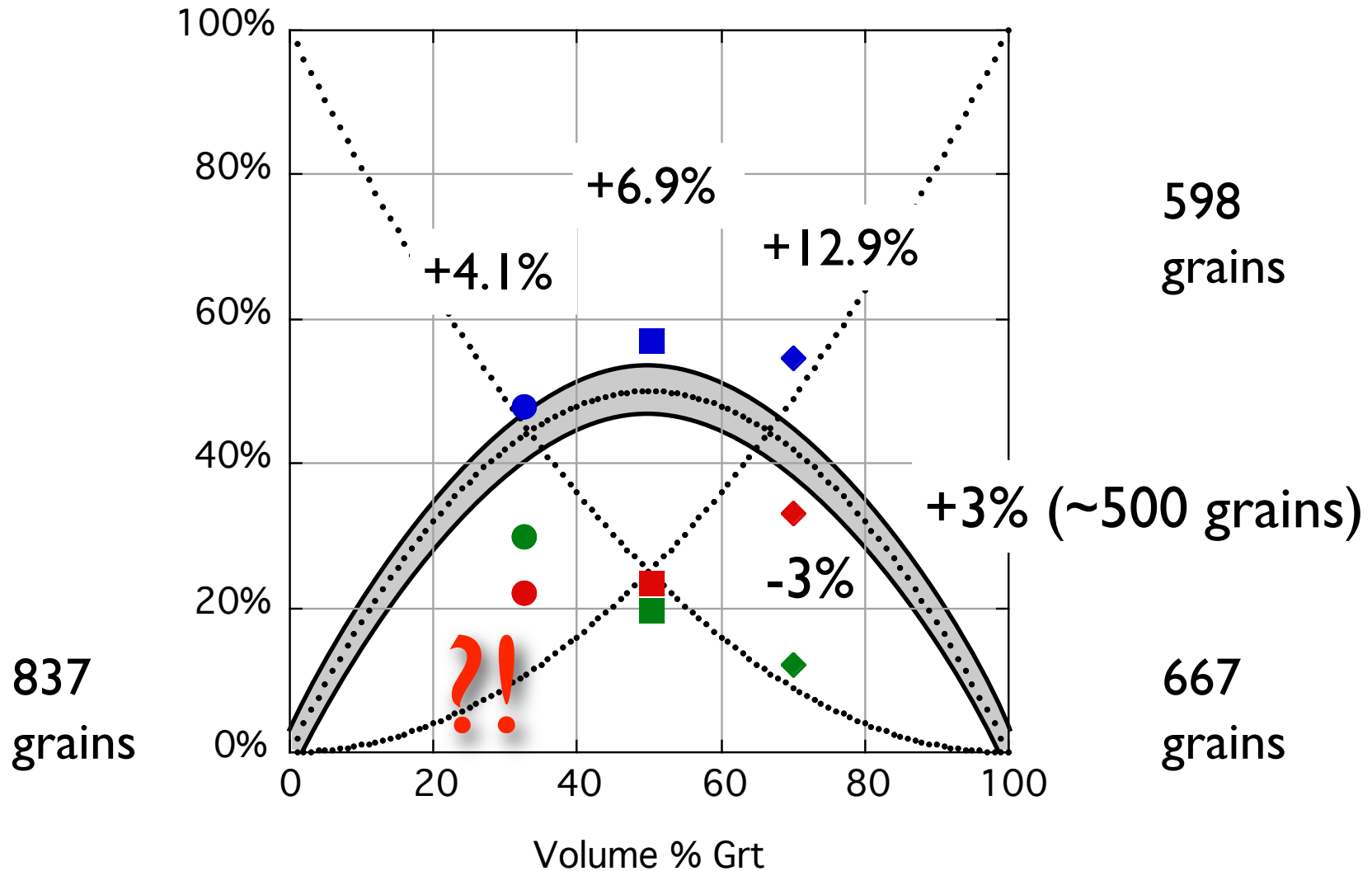
eclogite facies: anisotropic growth of garnet



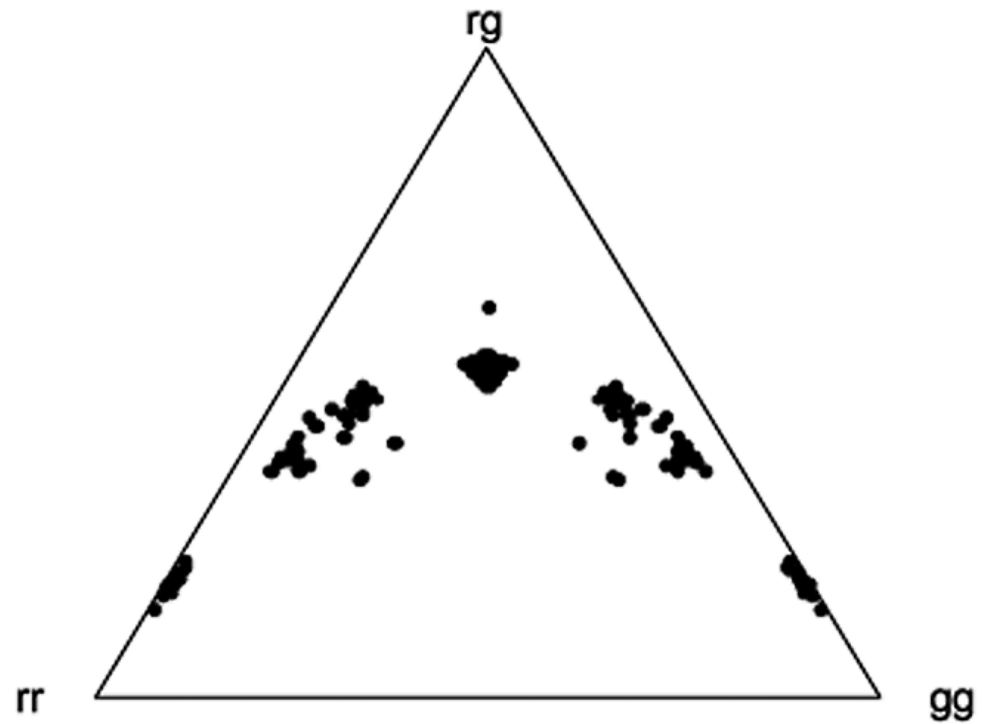
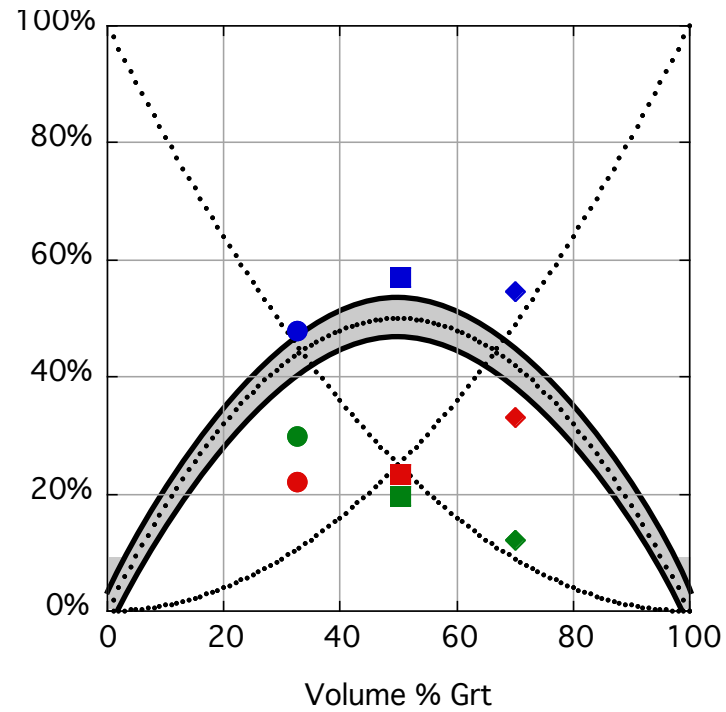
- 
- A scenic landscape with mountains, a lake, and a rocky foreground. The text is overlaid on the left side of the image.
1. fast exhumation, high shear strain rates
 2. deformation mechanism = diffusion creep
 3. geometrical model
≠ strain ≠ shape ≠ g_s
= spatial distribution
 4. model: 3-D, 2-D section
stereology 2-D > 3-D (≠ Kretz)
 5. to get errors: simulations
(3-D Voronoi by Ledoux)

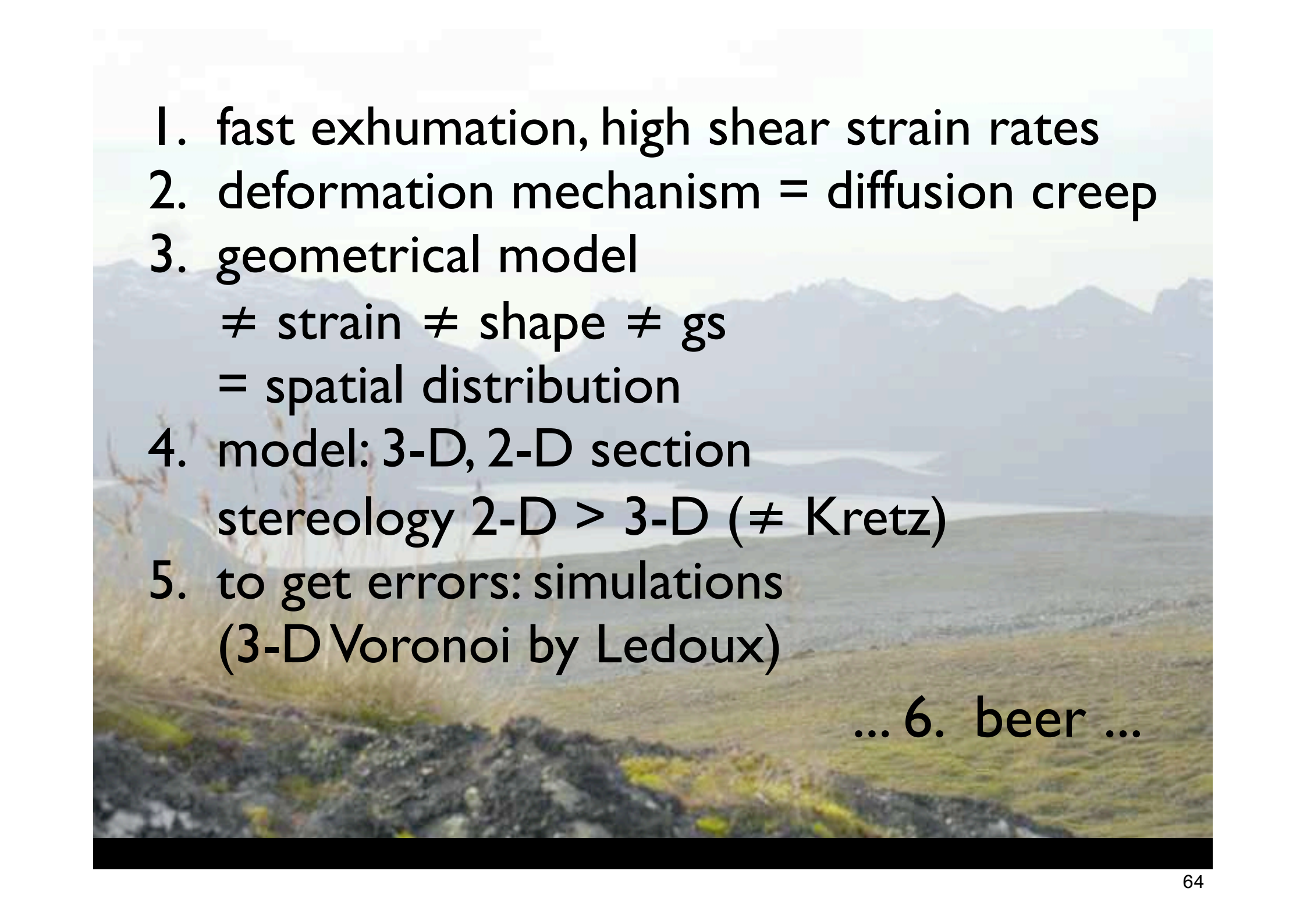
... future work ?

errors?



errors?



- 
- A scenic landscape with mountains, a lake, and a rocky foreground. The text is overlaid on the left side of the image.
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... 6. beer ...